



B_d mixing and prospects for B_s mixing at DØ

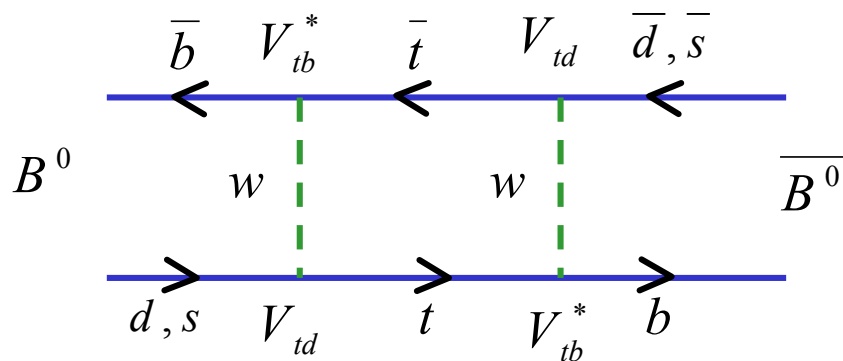
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DPF 2004

- Motivation for mixing studies
- DØ @ Tevatron
- B_d mixing measurements
 - Different approaches
- Prospects for B_s mixing

What is mixing?

Neutral meson transition from particle to anti-particle,
and vice-versa

Caused by higher order flavor changing weak interactions:



$$\Delta m_q = m(B^0_{\text{heavy}}) - m(B^0_{\text{light}})$$

$$\Delta m_q \propto |V_{tb} V_{tq}|^2$$

Mixing parameters $x_q = \Delta m_q / \Gamma_q$ and $y_q = \Delta \Gamma_q / \Gamma_q$ where $q=d,s$

First oscillations observed at ARGUS ('87) in the B_d system

\Rightarrow signaled a large top quark mass (later verified by CDF and DØ)

Δm_d and V_{td}

Δm_d has been precisely measured: the world average is

$$\Delta m_d = 0.502 \pm 0.007 \text{ ps}^{-1}$$

$$\Delta m_{B_d} = \frac{G_F^2}{6\pi^2} |V_{tb}|^2 |V_{td}|^2 m_t^2 m_{B_d} f_{B_d}^2 B_{B_d} \eta_B F\left(\frac{m_t^2}{m_W^2}\right)$$

Large uncertainty

$$|V_{CKM}| = \begin{pmatrix} 0.9739-0.9751 & 0.211-0.227 & 0.0029-0.0045 \\ 0.221-0.227 & 0.9730-0.9744 & 0.039-0.044 \\ 0.0048-0.014 & 0.037-0.043 & 0.9990-0.9992 \end{pmatrix}$$

Large uncertainty

Phys. Rev. D (2004)

Precise measurement of V_{td} is important:
 properly constrain the CKM matrix
 yield info on CP-violating phase

Why do we care about B_s mixing ?

\therefore consider ratio

$$\frac{\Delta m_s}{\Delta m_d} = \frac{M_{B_s}}{M_{B_d}} \cdot \frac{\hat{B}_{B_s} f_{B_s}^2}{\hat{B}_{B_d} f_{B_d}^2} \left| \frac{V_{ts}}{V_{td}} \right|^2$$

Theoretical error on the ratio
expected to drop faster

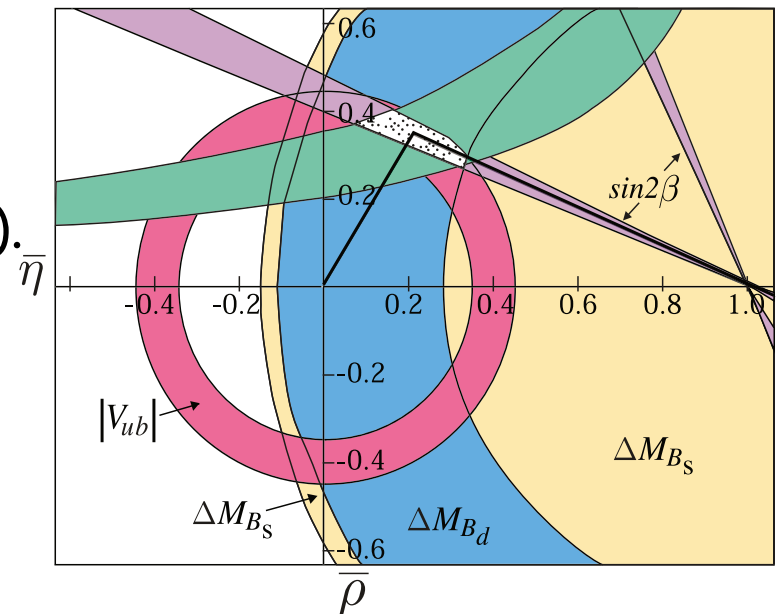
from Lattice QCD

Measure $\Delta m_s \Rightarrow$ constrain V_{td}

We think we understand the mixing of B_s .
A deviation from this simple diagram
may be a deviation from SM (New Physics).

- K mixing \Rightarrow direct & indirect CPV
- B_d mixing \Rightarrow heavy top mass
- ν mixing \Rightarrow neutrino mass $\neq 0$

B_s mixing \Rightarrow ????



The Tevatron B -factory

$$\sigma(p \bar{p} \rightarrow b \bar{b}) \approx 150 \mu\text{b} \quad @1.96 \text{ TeV}$$

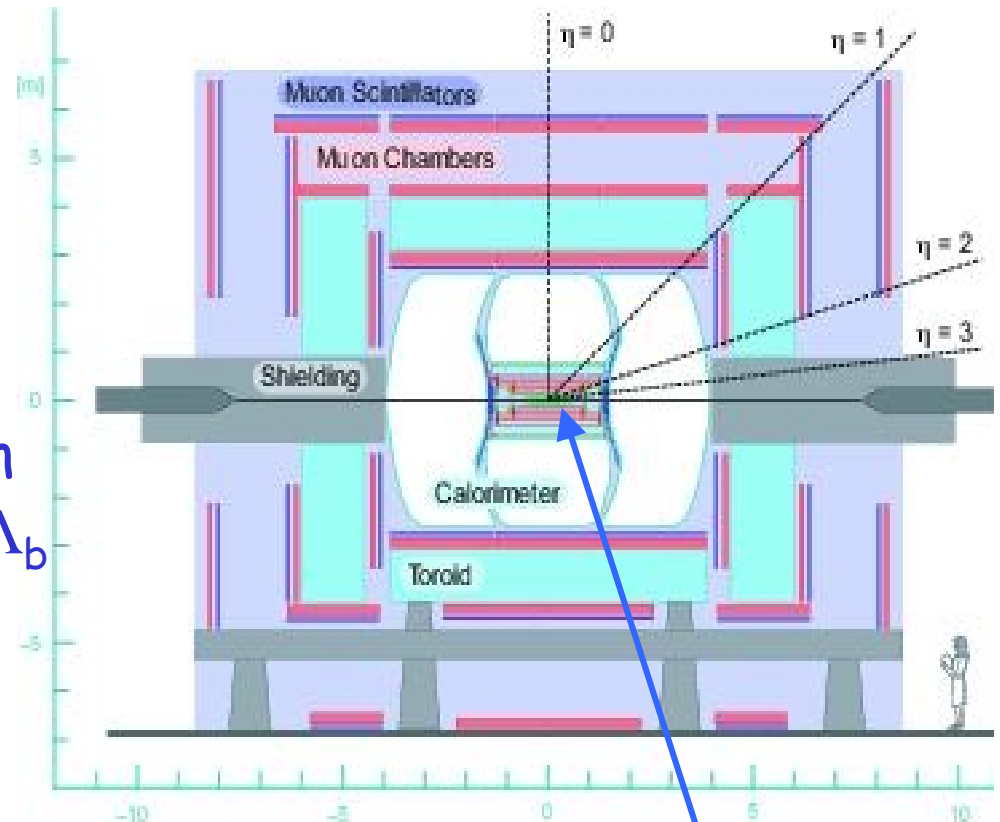
$$\sigma(e^+e^- \rightarrow b \bar{b}) \approx 7 \text{nb} \quad @ Z^0$$

$$\sigma(e^+e^- \rightarrow B \bar{B}) \approx 1 \text{nb} \quad @ Y(4S)$$

Large production cross-section
All B species, including B_s, B_c, Λ_b

Rich B Physics program at $D\emptyset$
benefits from :

- Large muon acceptance: $|\eta| < 2$
- Forward tracking coverage:
 $|\eta| < 1.7$ (tracking), $|\eta| < 3$ (Si)
- Robust muon trigger



Tracking: Solenoid, Silicon,
Fiber Tracker, Preshowers

Essential Ingredients

A typical oscillation analysis involves:

- Proper time reconstruction for each meson candidate
- Selection of final states suitable for the study
 - Tagging of the meson flavor at **decay** time (final state)

$$B_d^0 \rightarrow D^{*-} \mu^+ \nu_\mu$$

final state particles provide tag

$$\bar{B}_d^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu$$

- Tagging of the meson flavor at **production** time (initial state)

Initial state tagging

Soft lepton tagging (SLT) :

Opposite side: $b \rightarrow \mu^-$

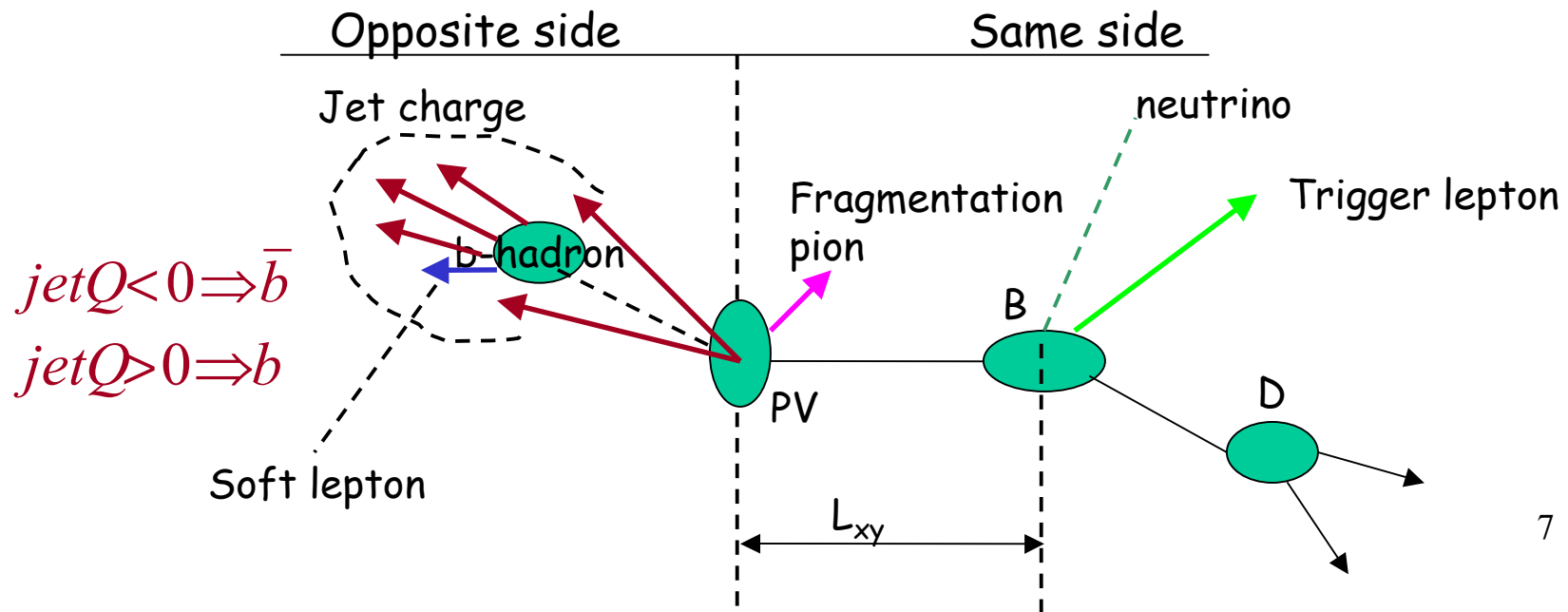
Same side tagging (SST) :

Same side: $b \rightarrow \bar{B}^0 \rightarrow \pi^-$ $b \rightarrow B^- \rightarrow \pi^+$

Jet charge tagging (JetQ) :

Opposite side: $jetQ > 0 \Rightarrow b$

$$jetQ \equiv \frac{\sum p_T^i q^i}{\sum p_T^i}$$

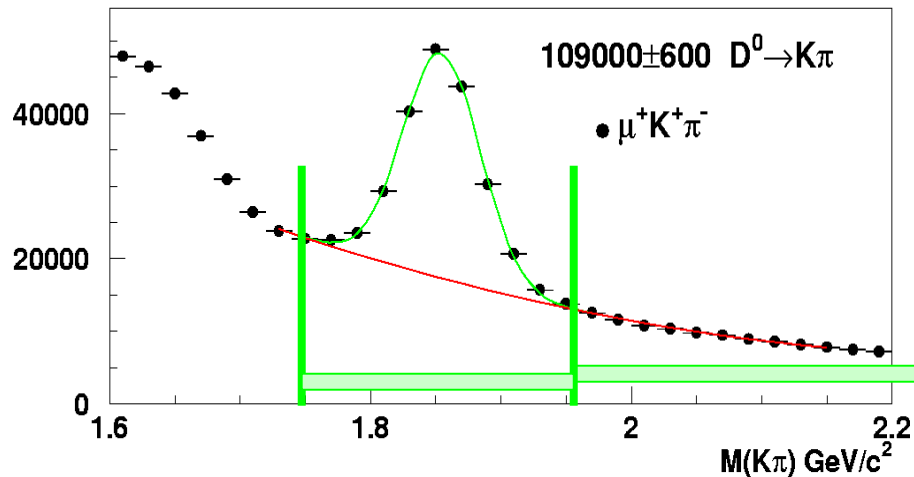


Semileptonic samples

- Reconstruct semileptonic decay $B \rightarrow \mu D^0 X$
 - Select D^0 candidates ($D^0 \rightarrow K^-\pi^+$)
 - Search for a pion track which in combination with D^0 gives D^* invariant mass ($D^{*+} \rightarrow D^0\pi^+$)
 - Divide the $\mu D^0 X$ sample into 2 sub-samples:

No D^* was found: D^0 sample

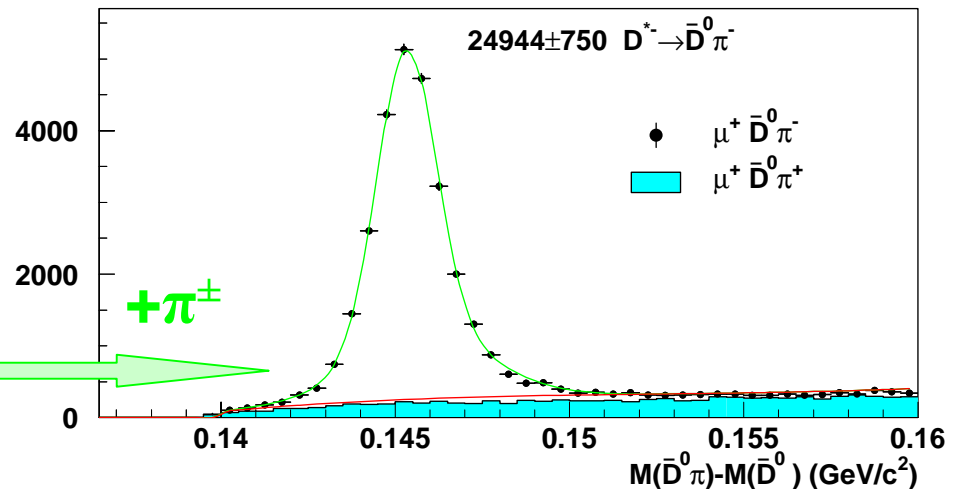
DØ RunII Preliminary, Luminosity=250 pb⁻¹



Dominated by B^+ decays

D^* was found: D^* sample

DØ RunII Preliminary, Luminosity = 250 pb⁻¹



Dominated by B^0 decays

Proper time reconstruction

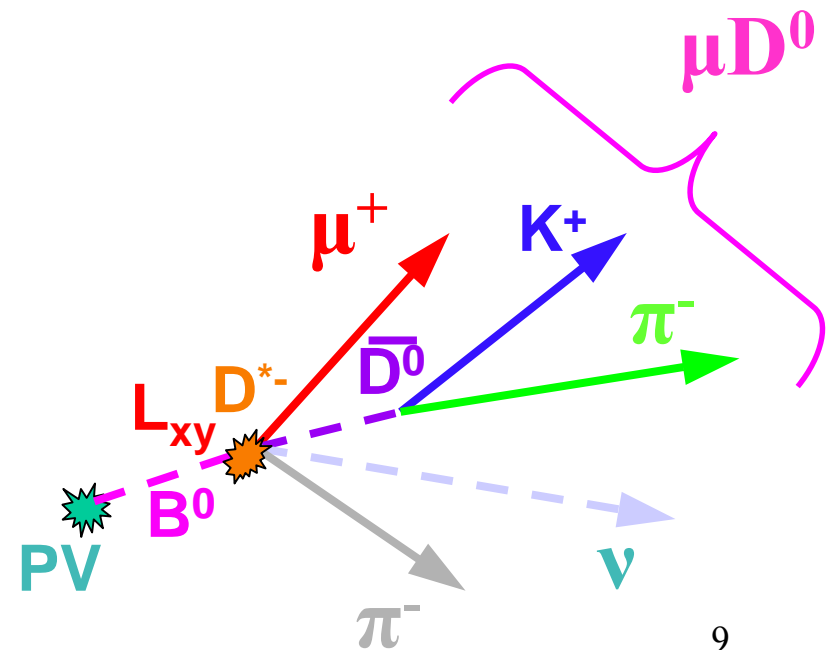
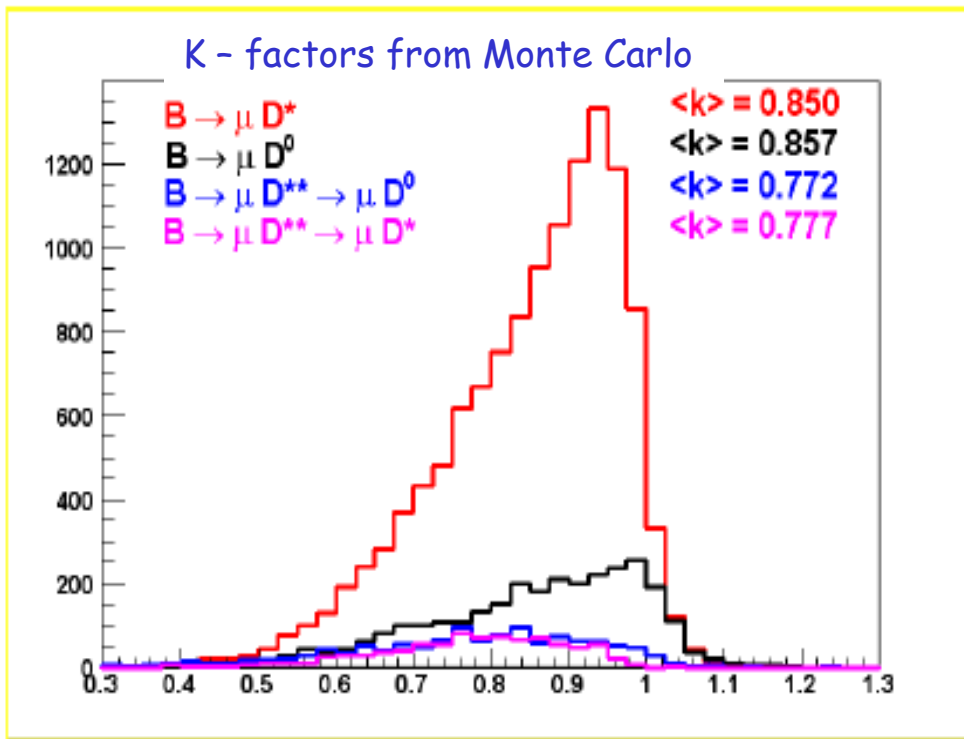
B_d proper lifetime determined using $ct_{B_d} = \lambda_{B_d} \cdot K$

$$K \equiv \frac{p_T(D^0 + \mu)}{p_T(B_d)}$$

Correction factor
(for missing ν)

$$\lambda_{B_d} \equiv \frac{L_{xy} \cdot M_{B_d}}{p_T(D^0 + \mu)}$$

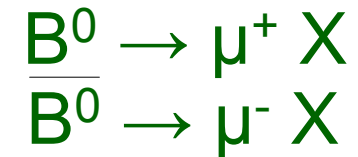
Visible proper decay length
(VPDL)



Soft Lepton Tagging (SLT)

If $Q_{\mu \text{ opposite}} \neq Q_{\mu} > 0 \Rightarrow B$ hadron oscillated

If $Q_{\mu \text{ opposite}} \neq Q_{\mu} < 0 \Rightarrow$ Not oscillated



$$\text{Efficiency } \epsilon = \frac{N_{\text{correct}} + N_{\text{wrong}}}{N_{\text{correct}} + N_{\text{wrong}} + N_{\text{notag}}}$$

How often the tagging algorithm 'fires'

$$\text{Dilution } D = \frac{N_{\text{correct}} - N_{\text{wrong}}}{N_{\text{correct}} + N_{\text{wrong}}}$$

How often the tagging algorithm gives the correct answer

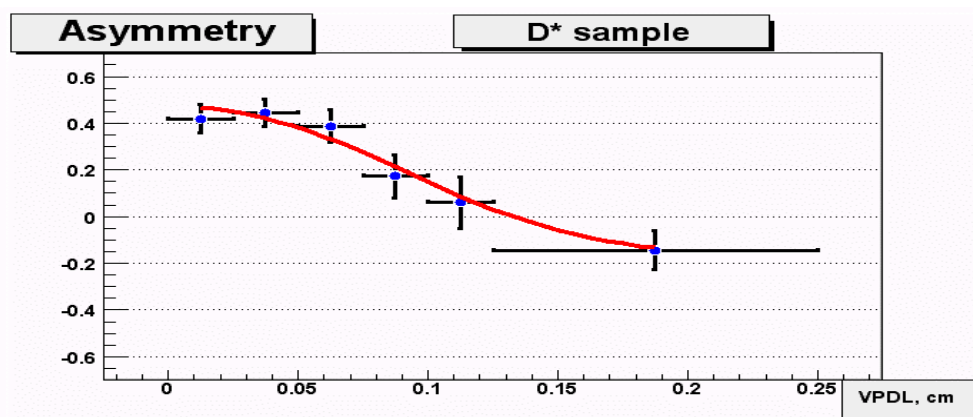
Maximize tagging power: ϵD^2

Measured Asymmetry

Obtain # of D^* , D^0 events tagged as "non-oscillated" & "oscillated" for different VPDL bins:

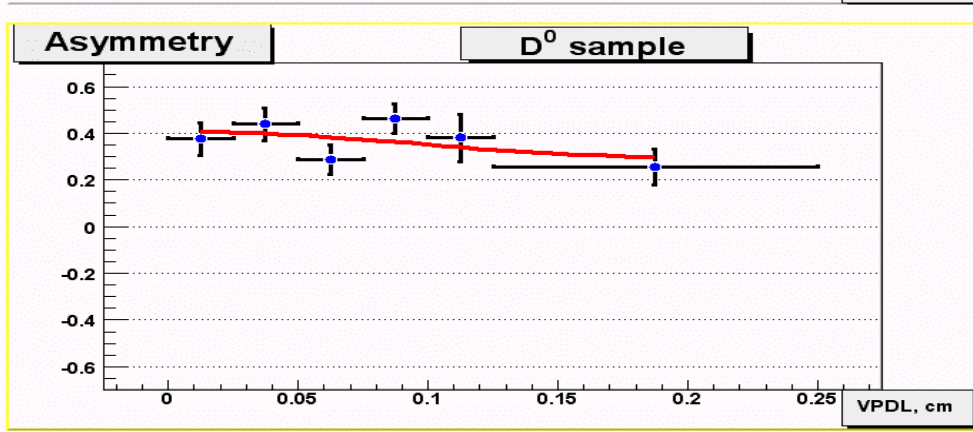
⇒ Measured Asymmetry

$$A_i = \frac{N_i^{non-osc} - N_i^{osc}}{N_i^{non-osc} + N_i^{osc}}$$



D^* sample

- Expect to see oscillations
- Level is offset by B^+ contribution



D^0 sample

- Expect to see no oscillations
- Some variation from oscillations due to B^0 contribution in sample composition

Expected Asymmetry

Calculate expected value of asymmetry:
$$A_i^e(\Delta m, \eta) = \frac{N_i^{e, non-osc} - N_i^{e, osc}}{N_i^{e, non-osc} + N_i^{e, osc}}$$

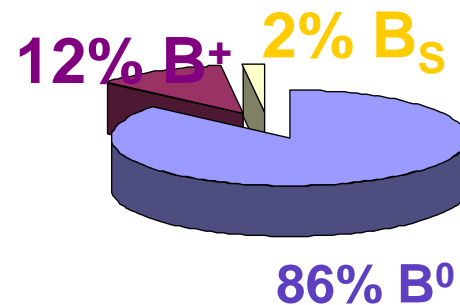
B meson lifetimes and branching rates from PDG
K-factor distributions, decay length resolution,
reconstruction efficiencies from MC

For D^* sample:

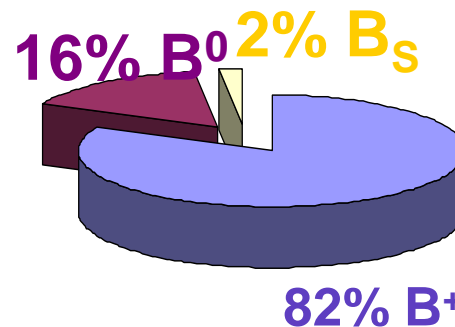
- $B^0 \rightarrow D^{*-} \mu \nu$;
- $B^0 \rightarrow D^{**} \mu \nu \rightarrow D^{*-} \mu \nu X$;
- $B^+ \rightarrow D^{**} \mu \nu \rightarrow D^{*-} \mu \nu X$;
- $B_s^0 \rightarrow D_s^{**} \mu \nu \rightarrow D^{*-} \mu \nu X$;

For D^0 sample:

- $B^+ \rightarrow D^0 \mu \nu$;
- $B^+ \rightarrow D^{*0} \mu \nu$;
- $B^+ \rightarrow D^{**} \mu \nu \rightarrow D^0 \mu \nu X$;
- $B^+ \rightarrow D^{**} \mu \nu \rightarrow D^{*0} \mu \nu X$;
- $B^0 \rightarrow D^{**} \mu \nu \rightarrow D^0 \mu \nu X$;
- $B^0 \rightarrow D^{**} \mu \nu \rightarrow D^{*0} \mu \nu X$;
- $B_s^0 \rightarrow D_s^{**} \mu \nu \rightarrow D^0 \mu \nu X$, $B_s^0 \rightarrow D_s^{**} \mu \nu \rightarrow D^{*0} \mu \nu X$;



D^* sample

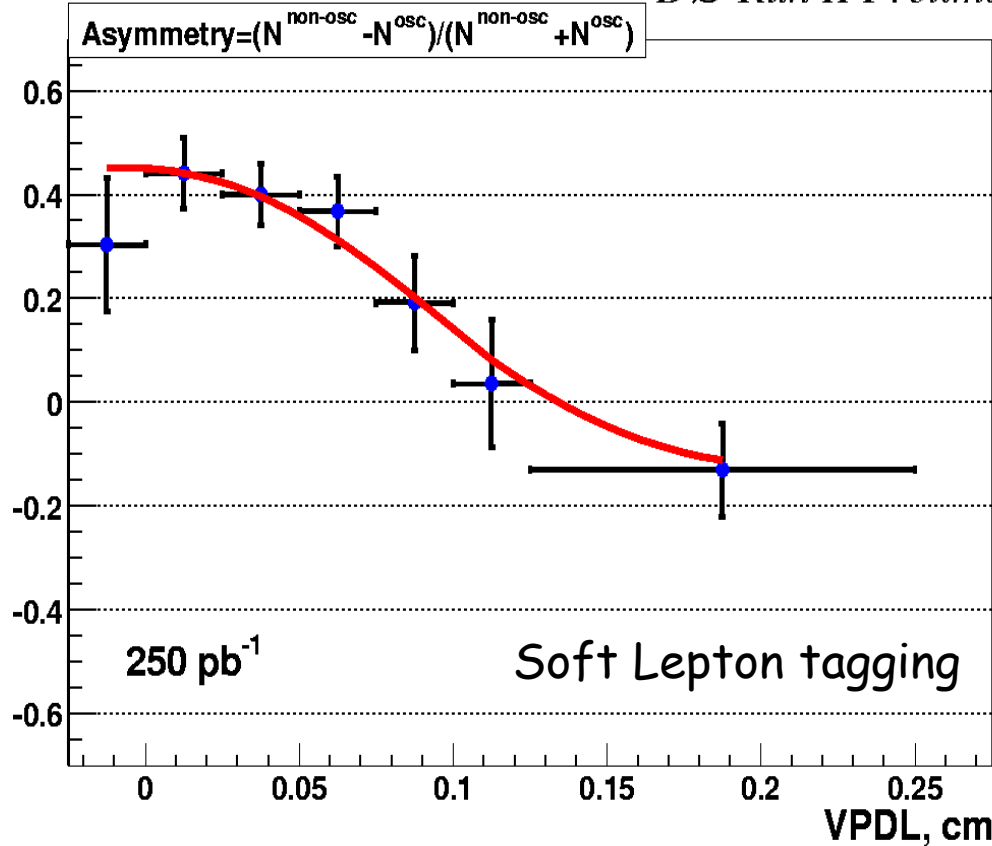


D^0 sample

Δm_d (SLT)

250pb⁻¹

DØ Run II Preliminary



$$\chi^2(\Delta m, \eta) = \sum_i \frac{(A_i - A_i^e(\Delta m, \eta))^2}{\sigma^2(A_i)}$$

Chief systematics:

- Fitting procedure for $D^*\mu$ candidates
- VPDL resolution function
- modelling of MC efficiencies
- branching rates of B mesons
- k-factor variations

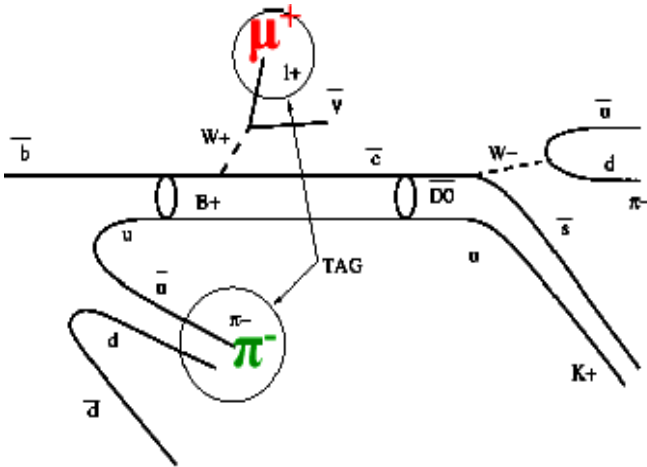
Preliminary results:

Tagging efficiency: $4.8 \pm 0.2 \%$
Dilution: $46.0 \pm 4.2 \%$

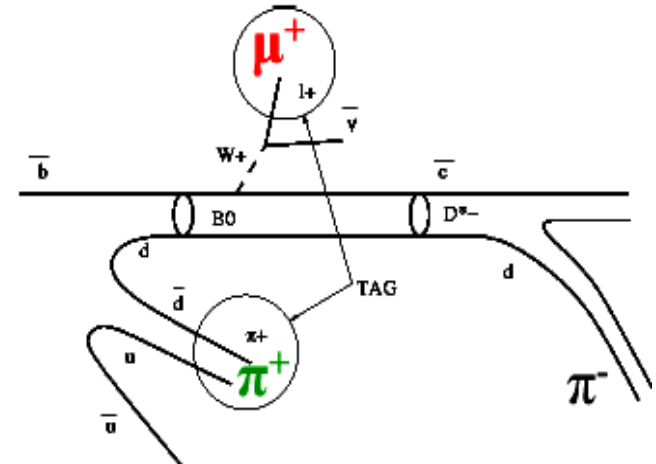
$$\Delta m_d = 0.506 \pm 0.055(\text{stat}) \pm 0.049(\text{syst}) \text{ ps}^{-1}$$

Same Side Tagging (SST)

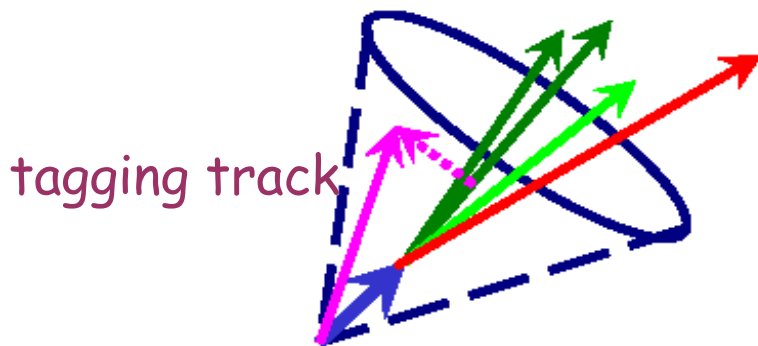
Charge of fragmentation pion correlates with the B flavor



B^+ : Correct tag $Q_{\text{tag}} \cdot Q_{\mu} < 0$
Non-oscillated



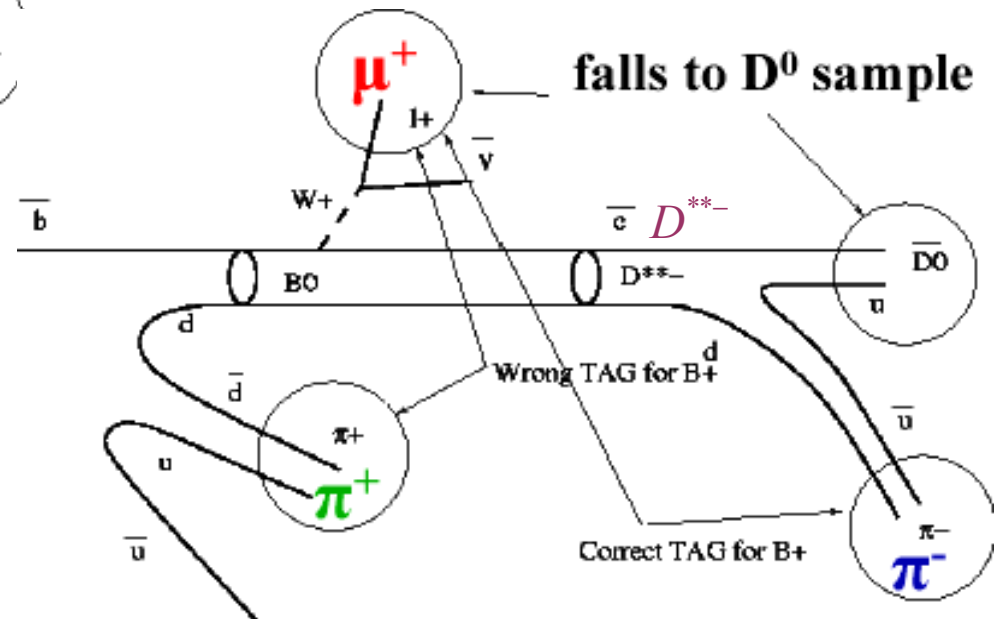
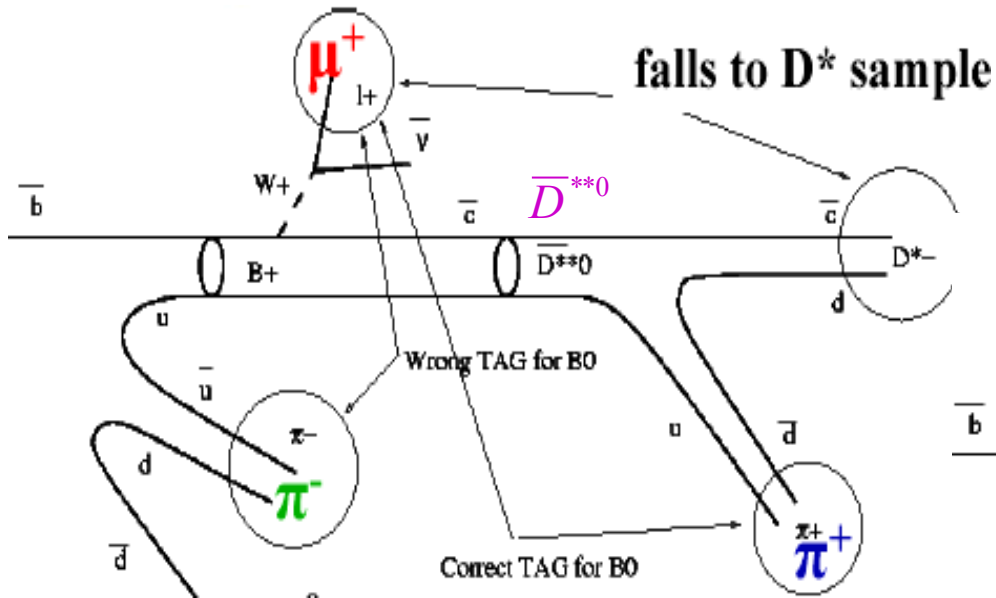
B^0 : Correct tag $Q_{\text{tag}} \cdot Q_{\mu} > 0$
Non-oscillated



Different algorithms for selecting tagging track (in a $\Delta R < 0.7$ cone around B):

1. lowest $P_{t, \text{rel}}$ (transverse momentum relative to B) track in a $\Delta R < 0.7$ cone around B
2. track with minimum ΔR wrt B-meson

D^{**} complications

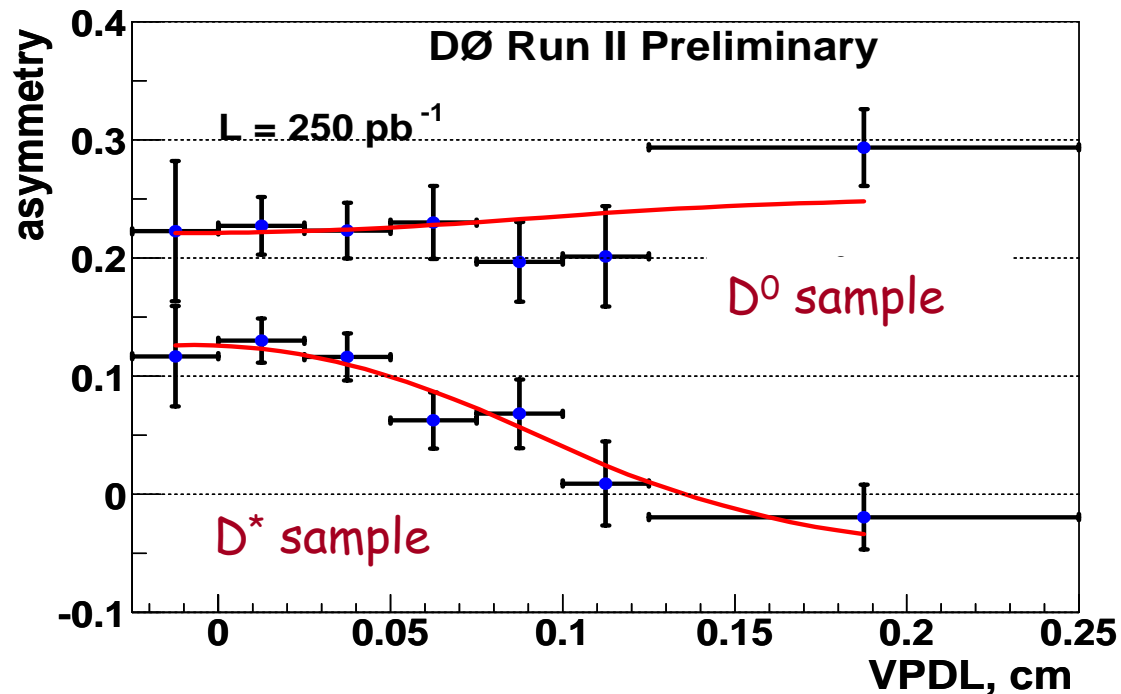


charged pion from D^{**} may be taken as a tag
 always gives "correct tag" for both B⁰ and B⁺
 irrespective of oscillations
 evaluated from D^{**} topological analysis

Δm_d (SST)

250pb⁻¹

Simultaneous χ^2 fit to asymmetries in D^* and D^0 samples:



Chief systematics:

- D^{**} pion tagging probability
- branching rates of B mesons
- k-factor variations
- $D^*\mu$ and $D^0\mu$ fitting procedure
- VPDL resolution function
- modelling of MC efficiencies

D_0 : Dilution for D^* sample
 D_{\pm} : Dilution for D^0 sample

Preliminary results:

$$\Delta m_d = 0.488 \pm 0.066(\text{stat}) \pm 0.044(\text{syst}) \text{ ps}^{-1}$$

$$D_0 = 0.116 \pm 0.014(\text{stat}) \pm 0.016(\text{syst})$$

$$D_{\pm} = 0.244 \pm 0.016(\text{stat}) \pm 0.024(\text{syst})$$

Combined tags analysis

200pb⁻¹

Data sample split into two sets:

- 1) Tagged by soft muons (SLT)
- 2) Tagged by combined jetQ+SST algorithm

SST: track with
min. ΔR wrt B-meson

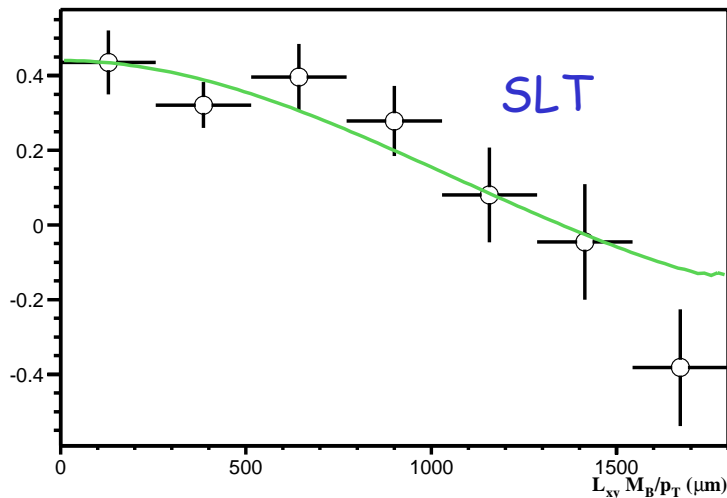
Combined algorithm produces non-zero answer if:

- Event not tagged by SLT
- At least one of jetQ and SST gives a non-zero answer
- jetQ and SST give same answer (\Rightarrow better dilution)

Combined tagger result

200pb⁻¹

Simultaneous fit to SLT and jetQ+SST asymmetries

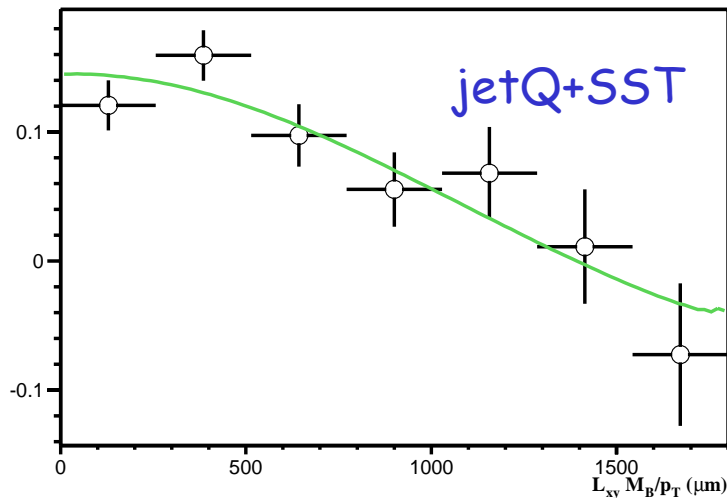


Chief systematics:

- $D^* \mu$ sample composition
- D^{**} pion tagging probability
- Charged B dilution determination

Preliminary results:

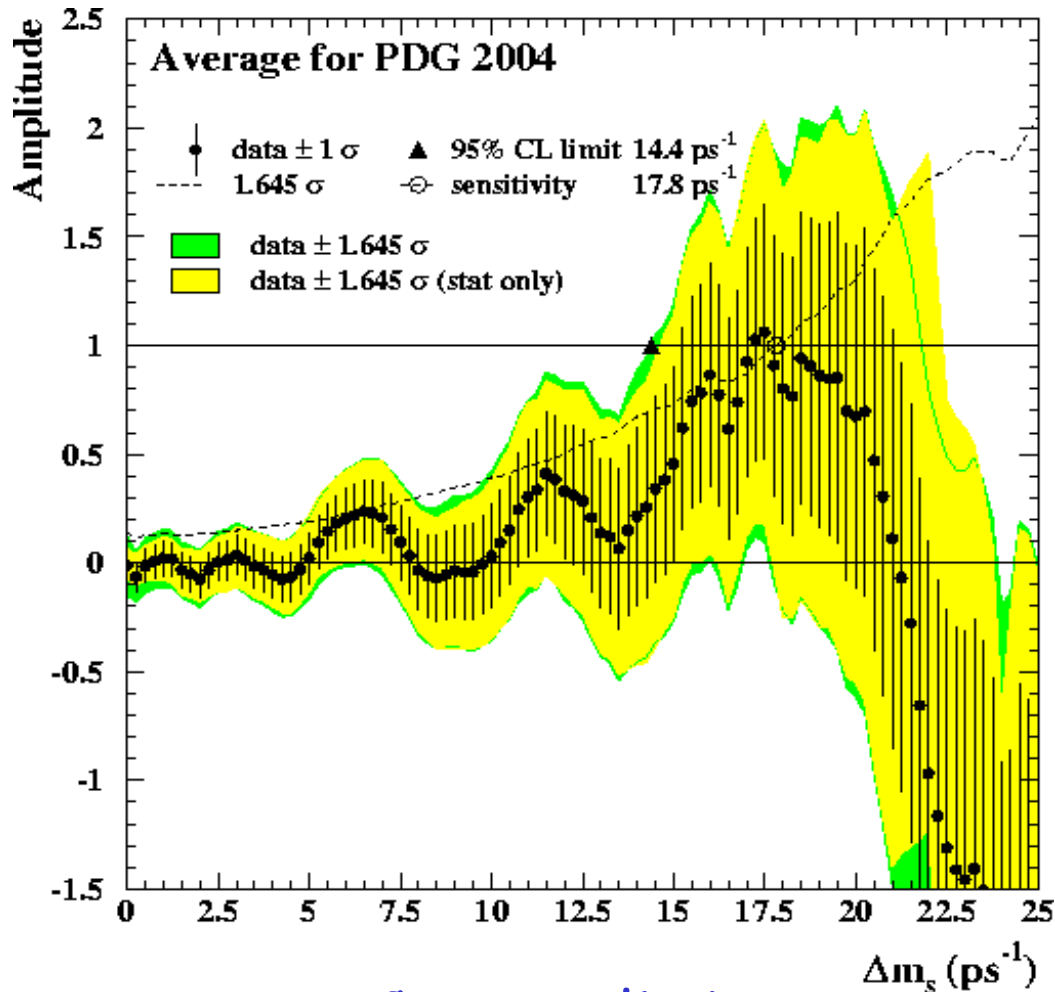
$$\Delta m_d = 0.456 \pm 0.034 \text{ (stat)} \pm 0.025 \text{ (syst)} \text{ ps}^{-1}$$



$$\begin{aligned} D_0 &= (44.8 \pm 5.1) \% \text{ SLT} \\ D_0 &= (14.9 \pm 1.5) \% \text{ jetQ+SST} \\ D_{\pm} &= (27.9 \pm 1.2) \% \text{ jetQ+SST} \end{aligned}$$

$$\begin{aligned} \varepsilon &= (5.0 \pm 0.2) \% \text{ SLT} \\ \varepsilon &= (68.3 \pm 0.9) \% \text{ jetQ+SST} \end{aligned}$$

In search of B_s oscillations



("Amplitude method")

Fit data to

$$P = \frac{\Gamma}{2} e^{-\Gamma t} [1 \pm A \cos(\Delta m_s t)]$$

Fit for A as a function of Δm_s

Measurement: $A = 1$

Sensitivity: $1.645\sigma_A = 1$ (95%)

Limit: $A < 1 - 1.645\sigma_A$ (95%)

Current limit :

$\Delta m_s > 14.4 \text{ ps}^{-1}$ @95% CL

Sensitivity

Current limits :

B_s oscillates at least 30 times faster than B^0 !

⇒ A measurement of Δm_s is experimentally very challenging

Statistical Significance :

$$S(\Delta m, \sigma_t) = \sqrt{\frac{\epsilon D^2 S}{2}} \sqrt{\frac{S}{S+B}} \times e^{-(\Delta m \sigma_t)^2 / 2}$$

Flavor tagging

Signal purity

For large Δm , proper time resolution (σ_t) becomes v. imp.

Initial-state tagging algorithms being verified and optimized using Δm_d measurements

$B_s \rightarrow D_s \mu X$ decays being reconstructed in different modes. Hadronic modes are being studied too

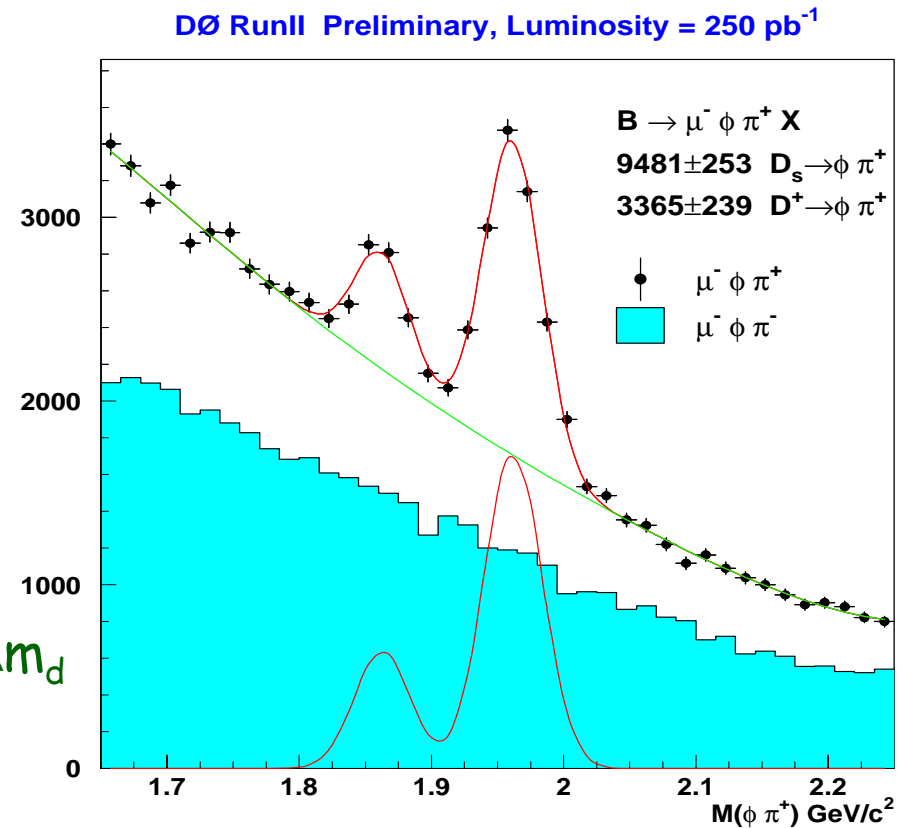
$B_S \rightarrow D_S \mu X$

Largest semileptonic yield in the world !!

$$D_S \rightarrow \phi \pi$$
$$\text{BR} = (3.6 \pm 0.9)\%$$

~ 9481 events in 250pb^{-1}

- ✓ Large signal yield
- ✓ Cuts being optimized for $S/S+B$
- ✓ Flavor tagging being tested with Δm_d



$B_s \rightarrow D_s \mu X$

$$D_s^- \rightarrow K^{*0} K^-$$

BR = $(3.3 \pm 0.9)\%$
 (BR comparable to $D_s \rightarrow \phi \pi$)

But larger backgrounds

$$D^- \rightarrow K^+ \pi^- \pi^-$$

$$D^- \rightarrow K^* \pi^-$$

$$\text{non-resonant } D^- \rightarrow K^+ \pi^- \pi^-$$

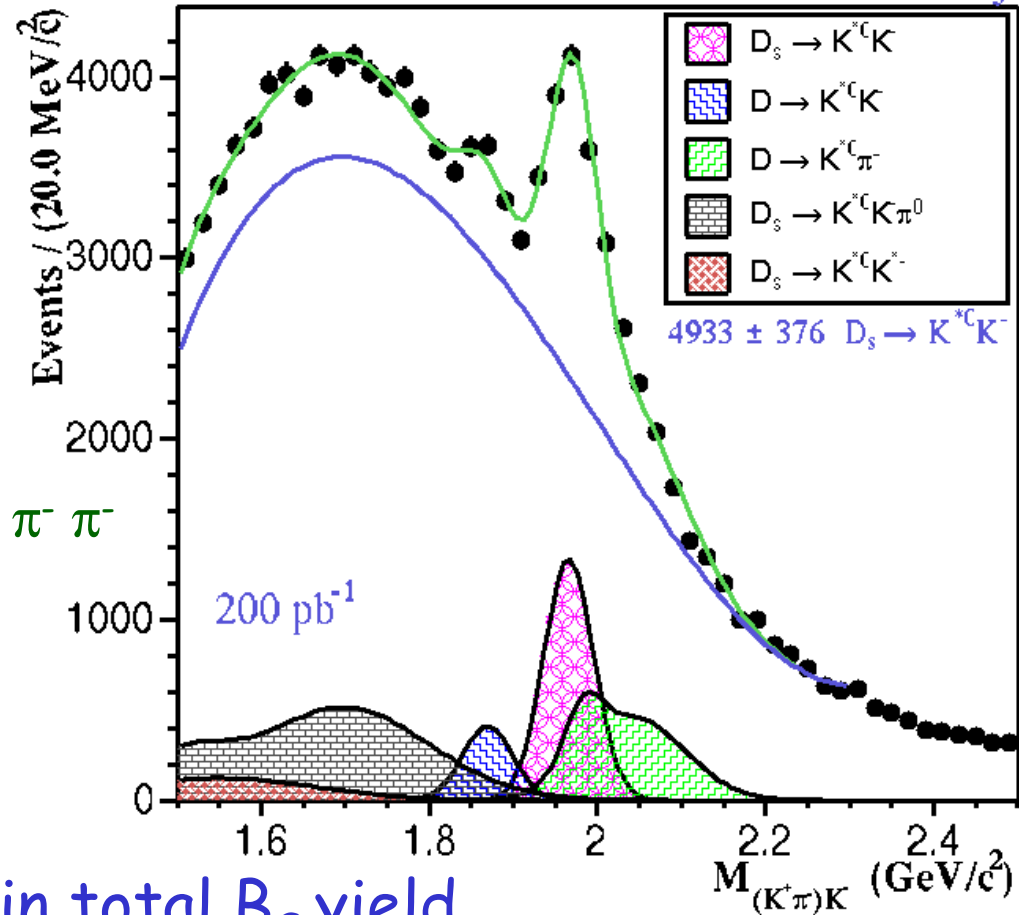
~ 4933 events in 200 pb^{-1}

\Rightarrow Significant increase in total B_s yield

Other D_s decays are being studied too

$$B_s \rightarrow \mu^+ K^{*0} K^- + X \quad (K^{*0} \rightarrow K^+ \pi^-)$$

DØ Run II Preliminary



Summary

- We have preliminary measurements of Δm_d using different tagging techniques (250pb⁻¹)
 - $\Delta m_d = 0.506 \pm 0.055(\text{stat}) \pm 0.049(\text{syst}) \text{ ps}^{-1}$ (SLT)
 - $\Delta m_d = 0.488 \pm 0.066(\text{stat}) \pm 0.044(\text{syst}) \text{ ps}^{-1}$ (SST)
- We have started to combine different taggers (200pb⁻¹)
 - $\Delta m_d = 0.456 \pm 0.034(\text{stat}) \pm 0.025(\text{syst}) \text{ ps}^{-1}$ (SLT+jetQ+SST)
- We are optimizing our taggers for B_s mixing studies
- We have the largest $B_s \rightarrow D_s \mu X$ yields in the world
- Prospects for B_s mixing look good

Stay tuned...

BACKUP SLIDES