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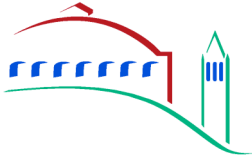
# Sub-hadronic degrees of freedom in ultra-relativistic nuclear collisions: searching for de-confined quarks and gluons



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Lawrence Berkeley National Laboratory



## 1) Introduction

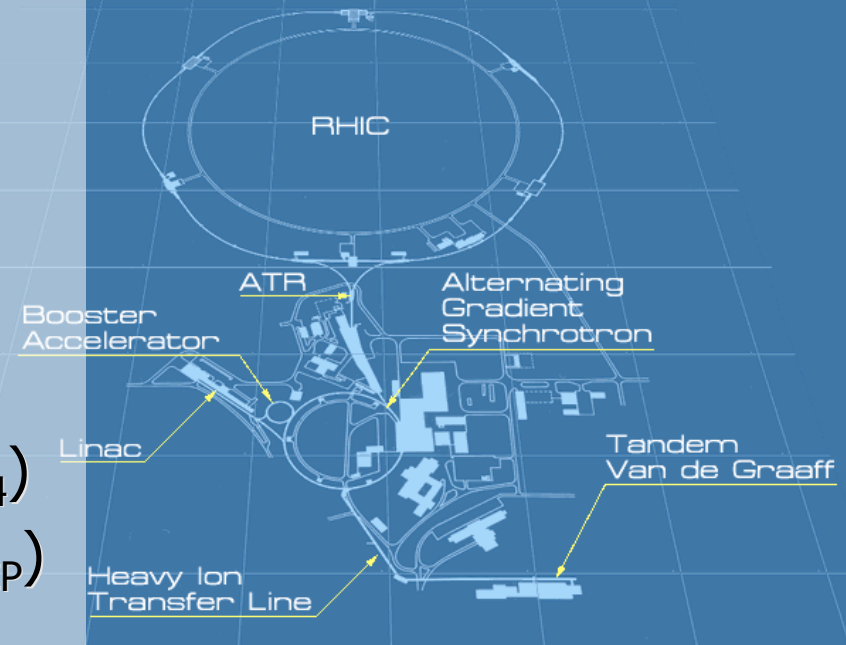
- Ultra-relativistic nuclear collisions
- Event anisotropies ( $v_n$ )

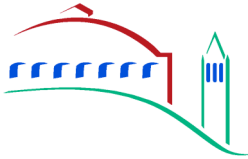
## 2) Observations:

- Anisotropic flow ( $v_2$  and  $v_4$ )
- Centrality dependence ( $R_{CP}$ )
- Correlations

## 3) What's happening at intermediate $p_T$ ?

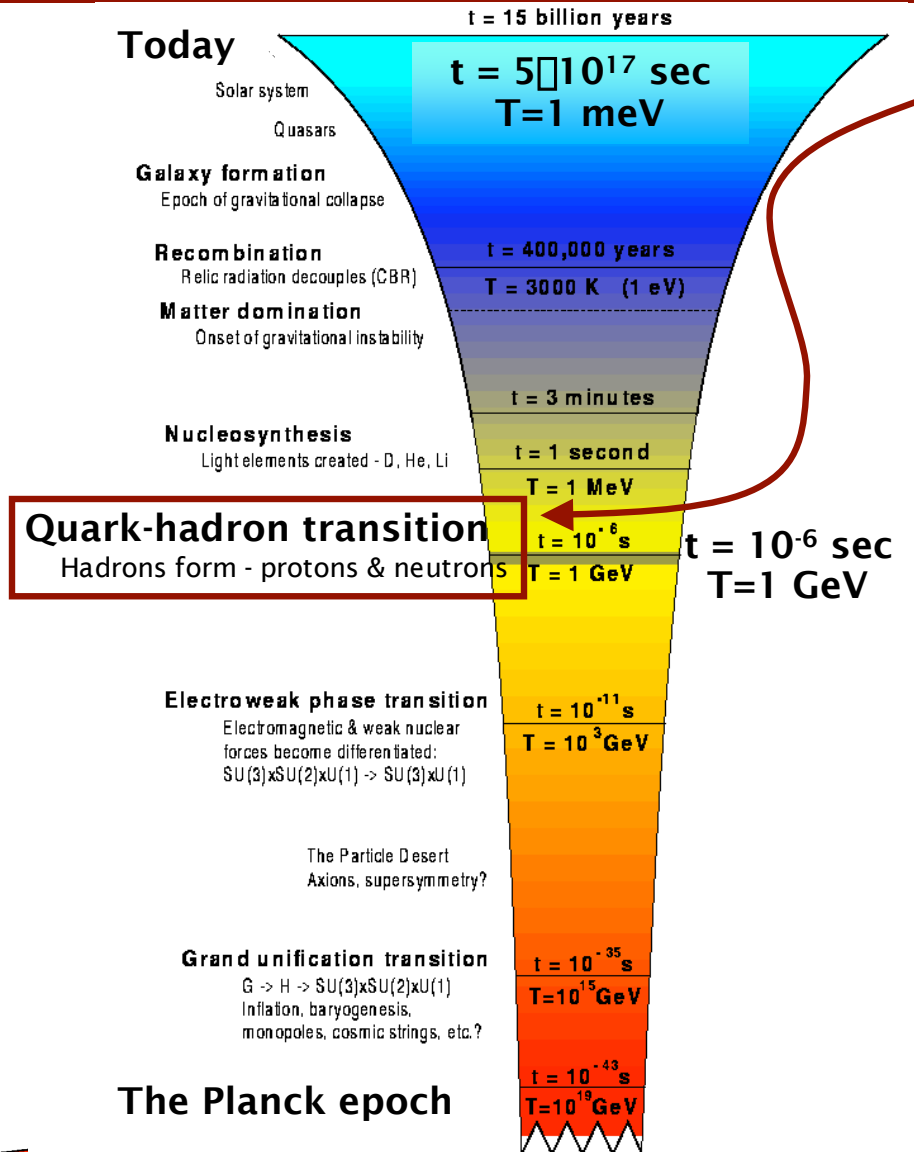
## 4) Conclusions



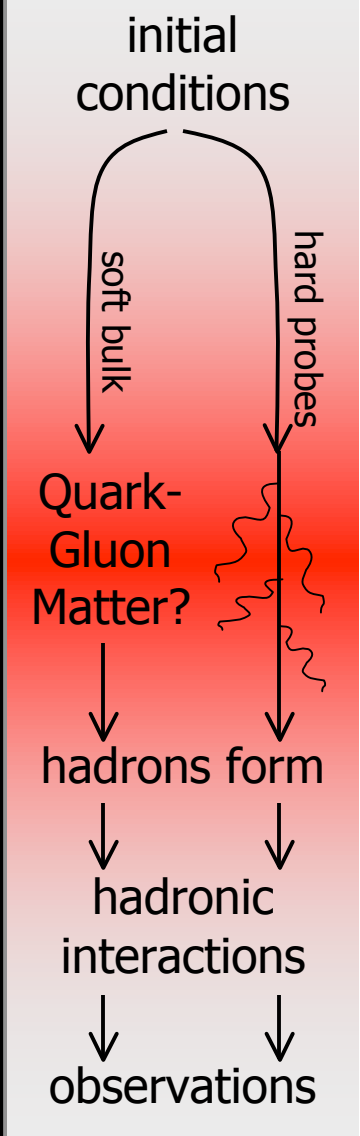
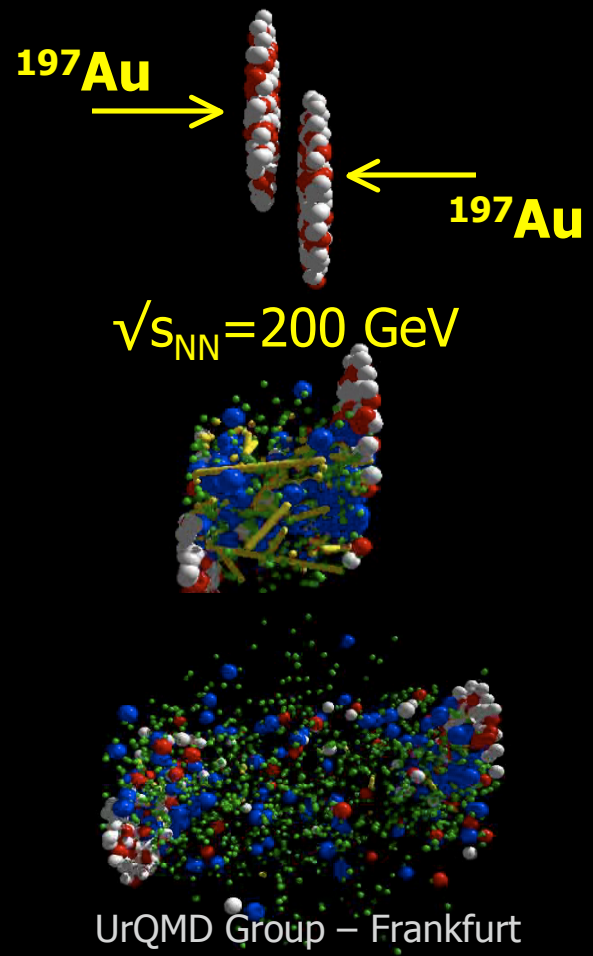


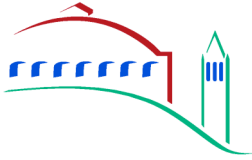
# Introduction

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Nucleus-nucleus collisions may probe the physics of this quark-hadron transition

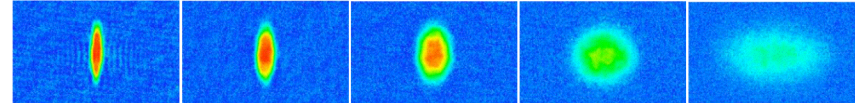




# Introduction

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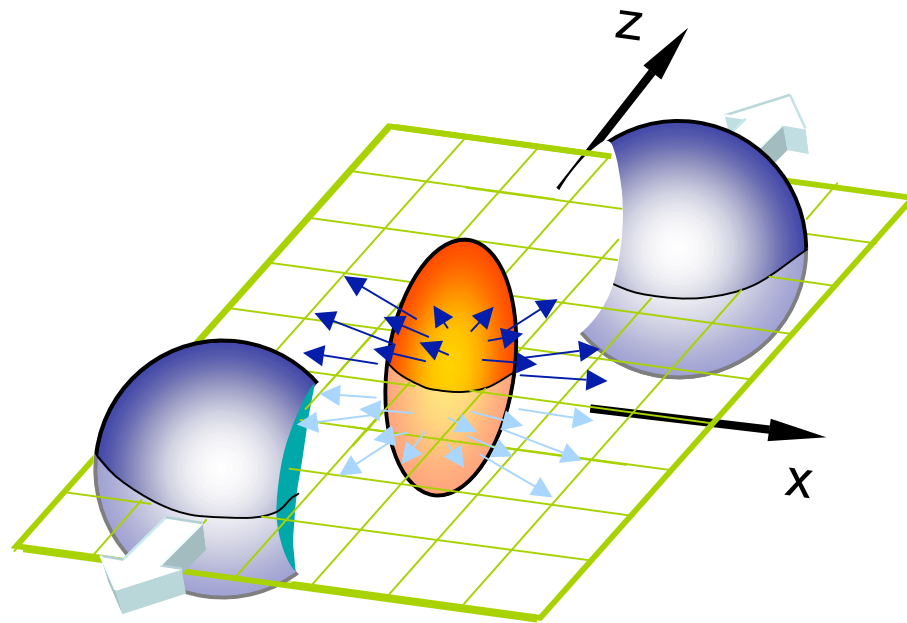
## EVENT ANISOTROPHY: A UNIQUE OBSERVABLE



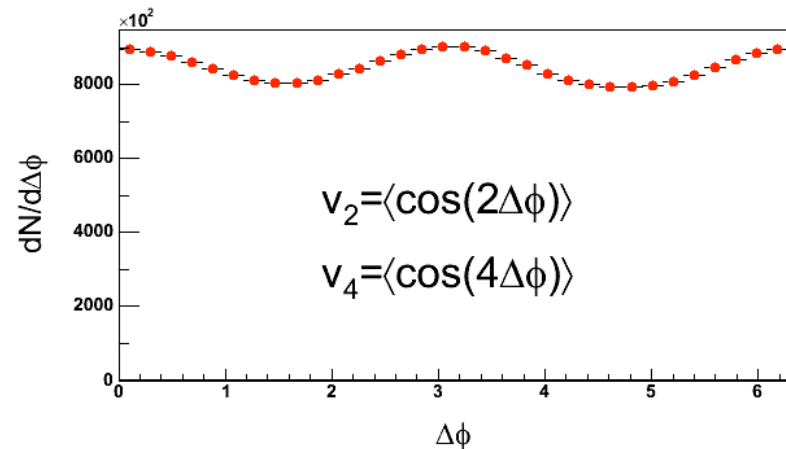
The initial spatial anisotropy evolves into a momentum space anisotropy

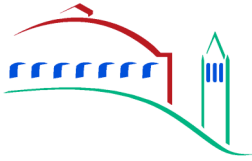
$$E \frac{d^3 N}{d^3 p} = \frac{1}{2\pi} \frac{d^2 N}{p_T dp_T dy} \left[ \frac{1}{2} + \sum_{n=1}^{\infty} 2v_n \cos(n\Delta\phi) \right]$$

"Elliptic flow"  $v_2$  is the largest harmonic



Non-central Collisions

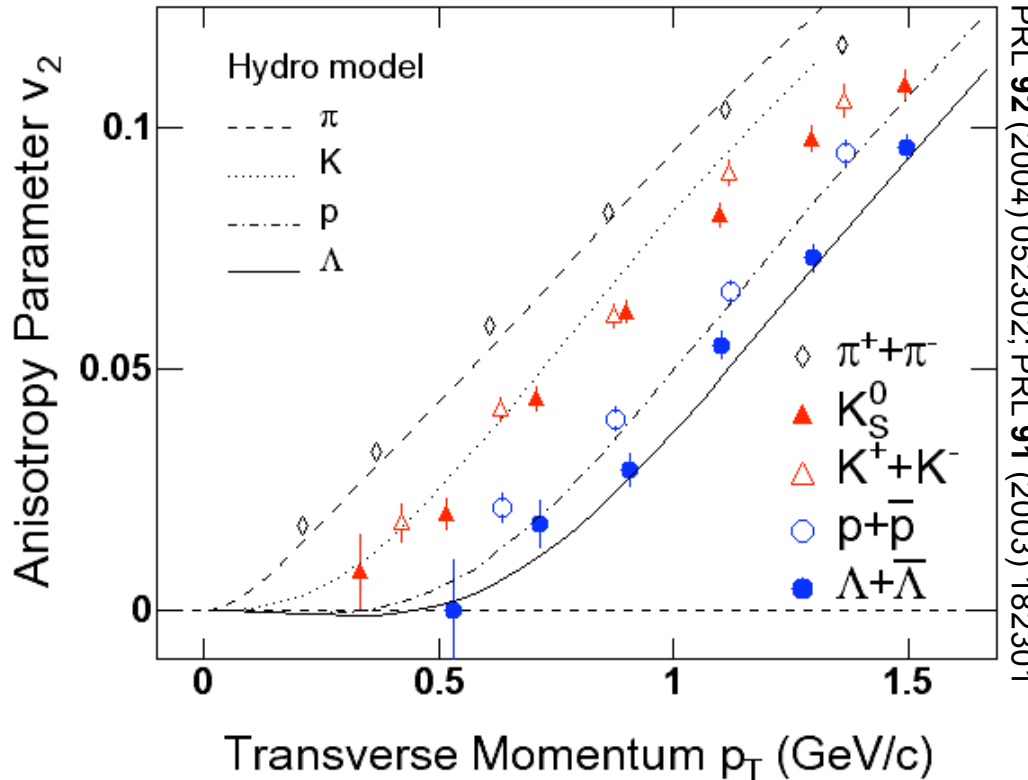
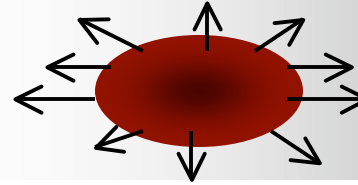
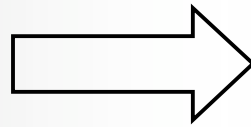
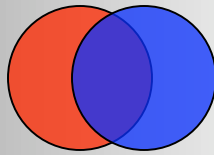




# Elliptic Flow $v_2$

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**Does pressure convert spatial anisotropy to momentum anisotropy according to the equations of ideal hydrodynamics?**

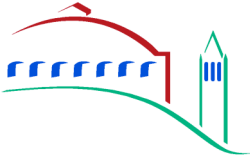


Mass ordering for soft particles indicative of a common velocity.

Calculations are sensitive to the nature of the equation-of-state.

Consistent with the formation of locally equilibrated matter.

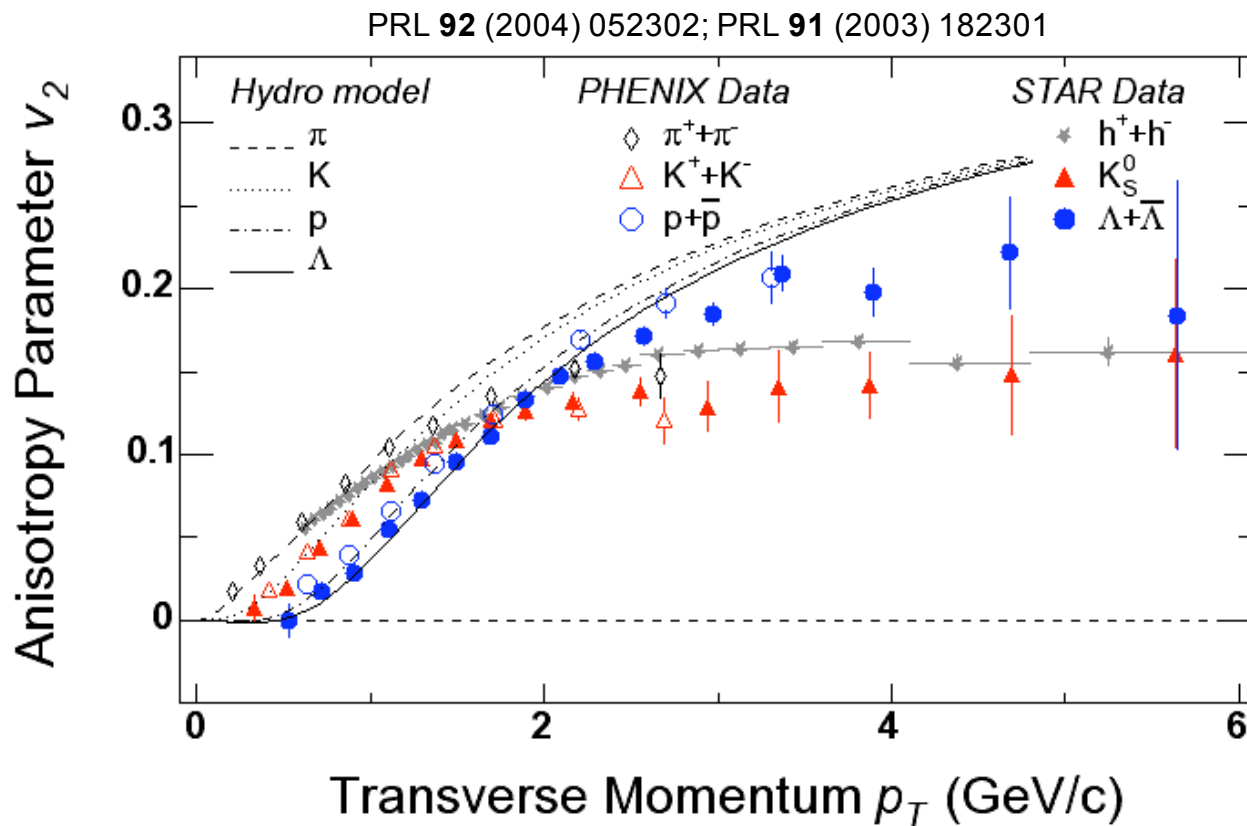




# Elliptic Flow $v_2$

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**At higher  $p_T$  the mass ordering breaks: with the momentum-anisotropy  $v_2$  larger for baryons than mesons.**

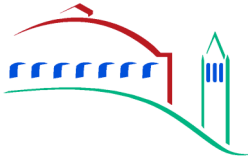


Data deviate from hydro at higher  $p_T$  (as expected).

How is  $v_2$  established at  $p_T$  above 2 GeV/c?

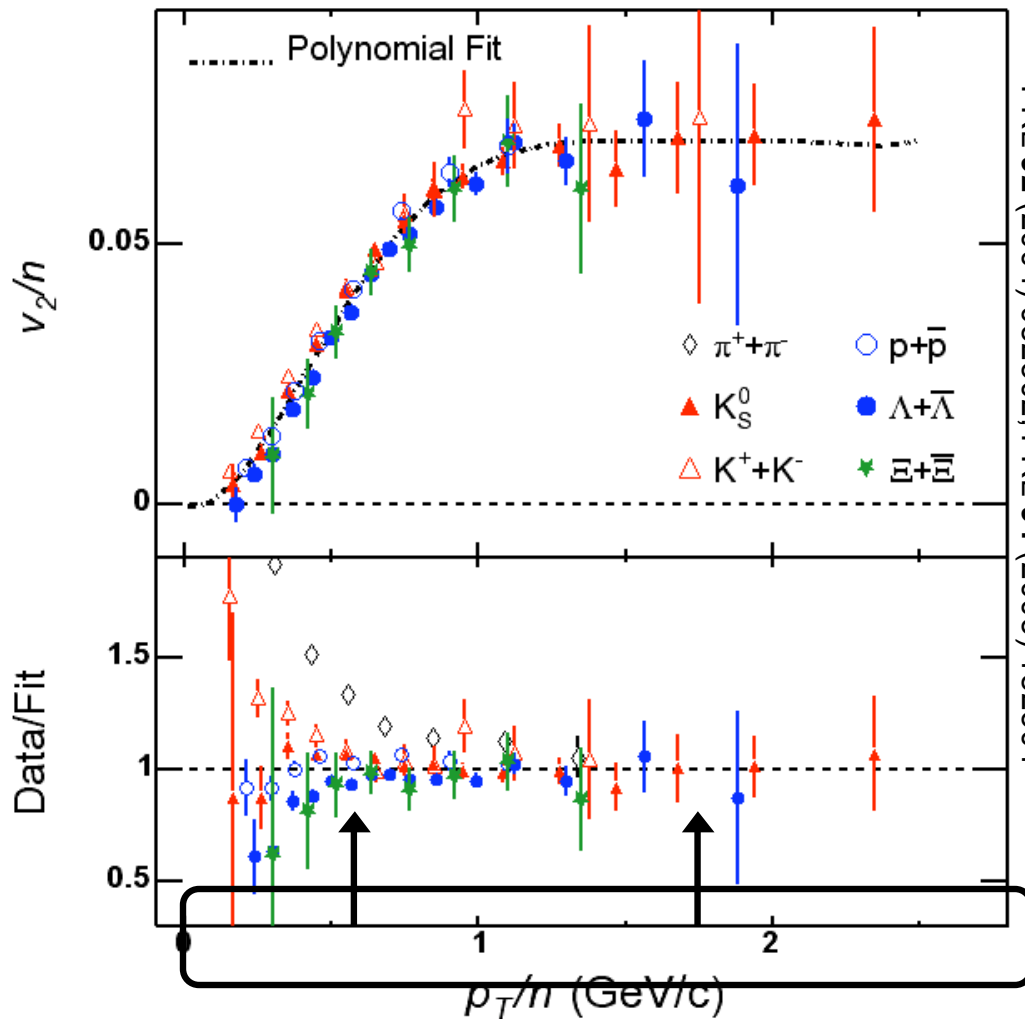
Why is baryon  $v_2$  so large; because of its mass or quark number?





# Constituent-quark scaling

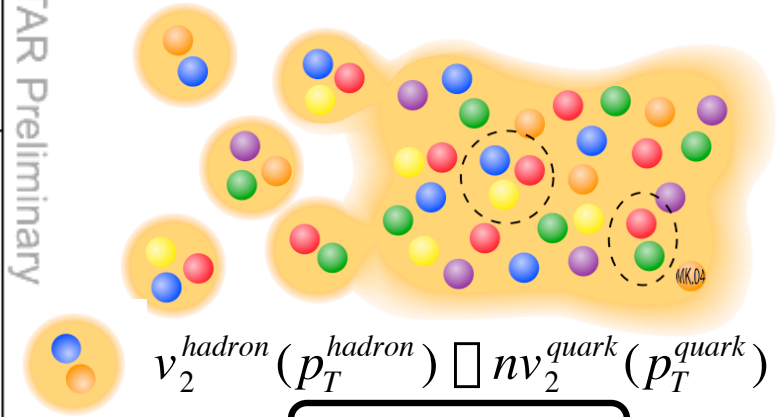
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PRL 92 (2004) 052302; PRL 91 (2003) 182301

At intermediate  $p_T$   $v_2$  appears to depend on quark-number

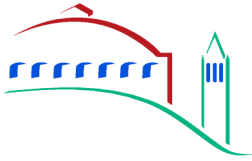
For  $p_T/n > 0.6$  GeV/c,  $v_2$  scales with the no. of constituent quarks  $n$ , as predicted for hadron formation by quark coalescence



$$p_T^{hadron} \approx n p_T^{quark}$$

Pions deviate: perhaps because they are goldstone bosons and do not acquire their mass from constituent quarks.

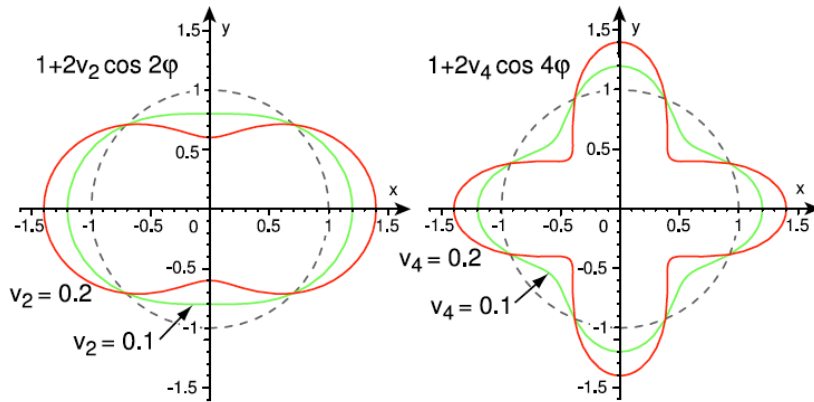




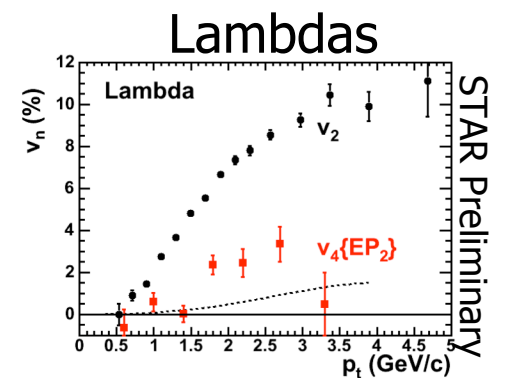
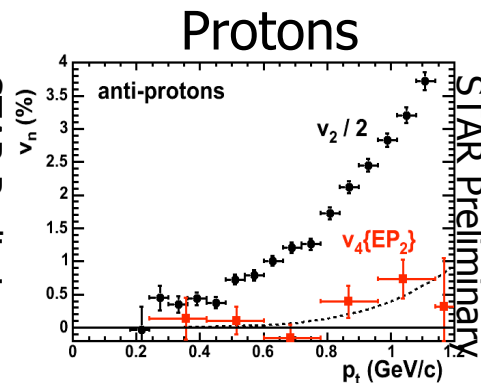
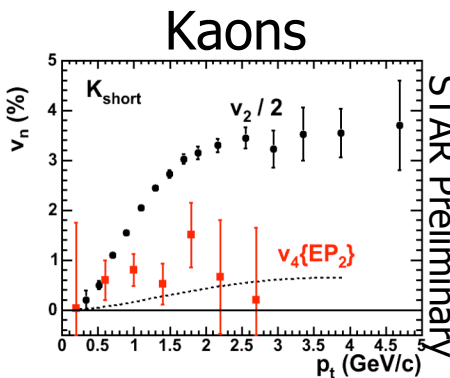
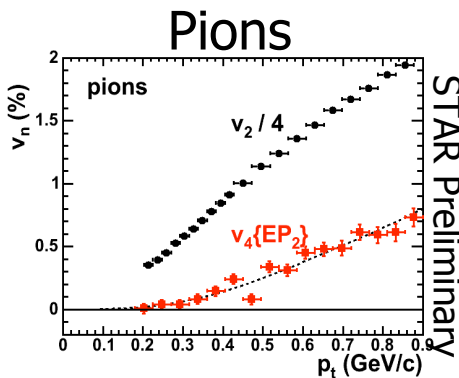
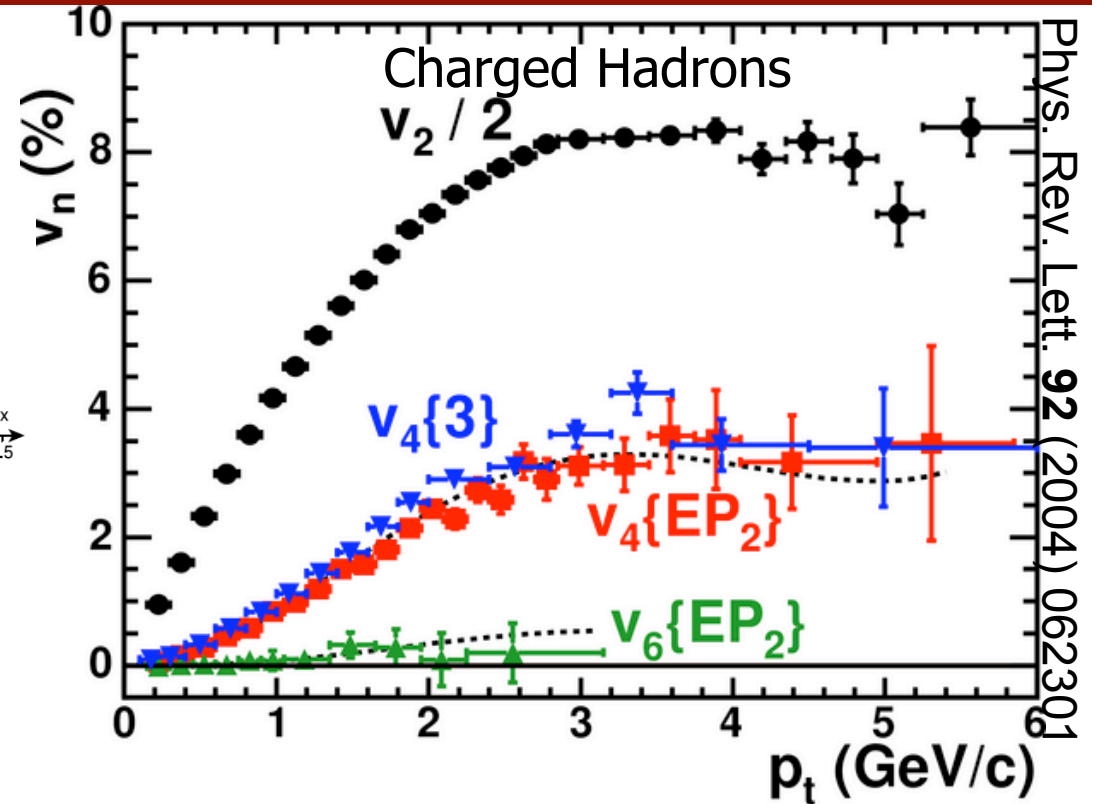
# Higher Harmonics

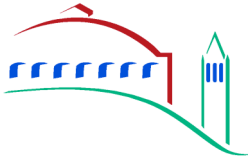
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Another probe of the expansion dynamics



With better statistics at intermediate  $p_T$  we can test constituent quark scaling for meson and baryon  $v_4$ .





# Another unique observable

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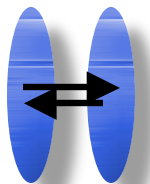
## CENTRALITY DEPENDENCE OF YIELDS

Spectra from head - on (central) collisions compared to spectra from grazing (peripheral) collisions:

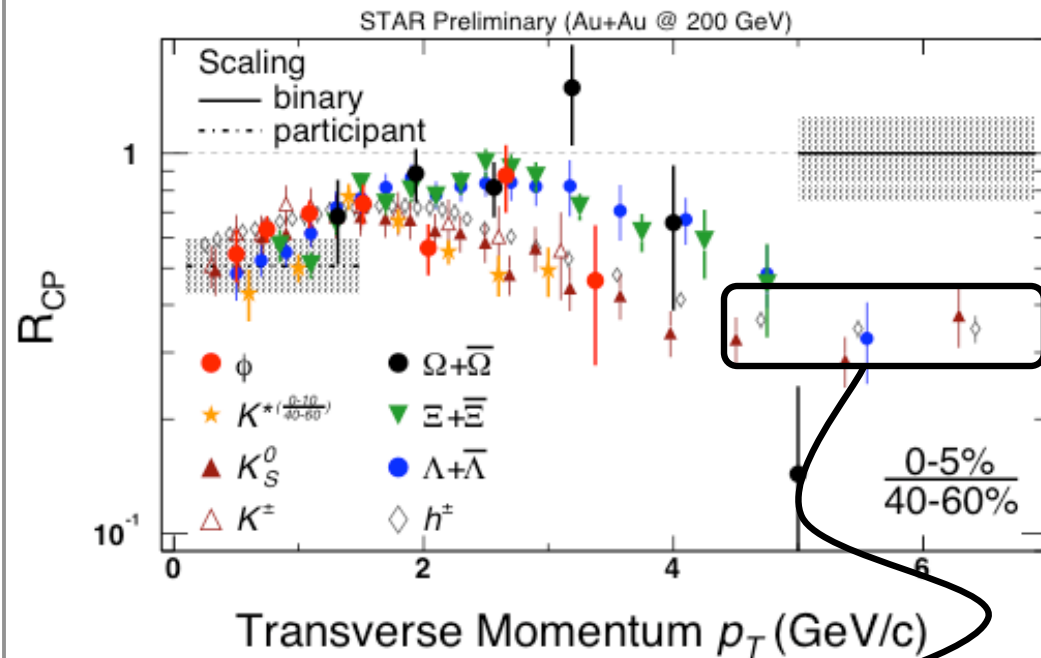
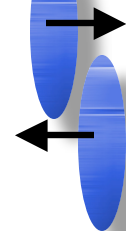
$$R_{CP} = \frac{\left[ \frac{d^2N}{dp_T dy} \right]^{central}}{\left[ \frac{d^2N}{dp_T dy} \right]^{peripheral}} \frac{N_{coll}^{peripheral}}{N_{coll}^{central}}$$

scaled by the expected number of hard collisions  $N_{coll} \cdot R_{CP} = 1$  indicates scaling.

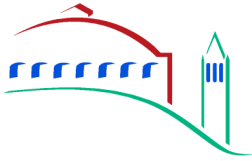
Central



Peripheral

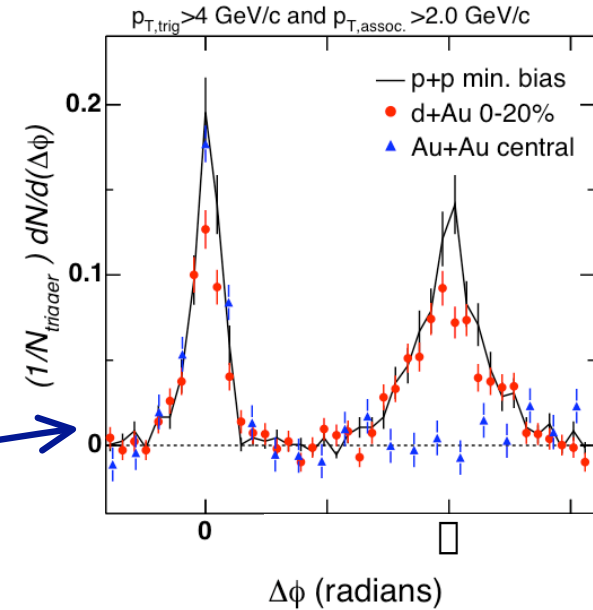
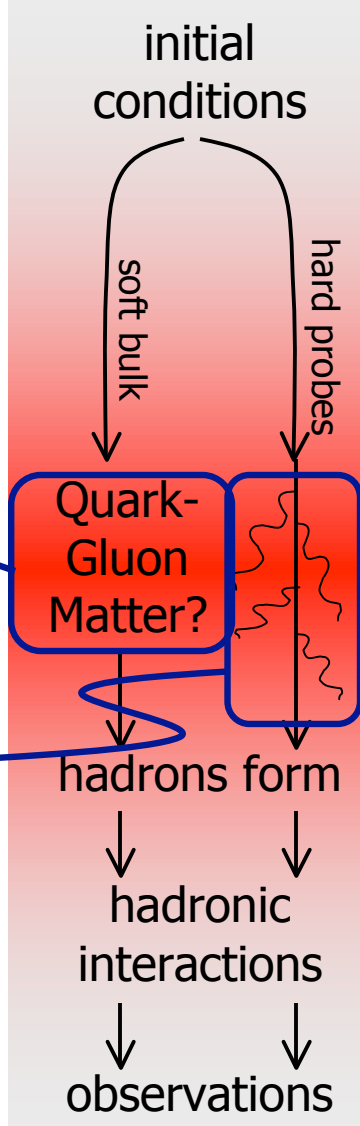
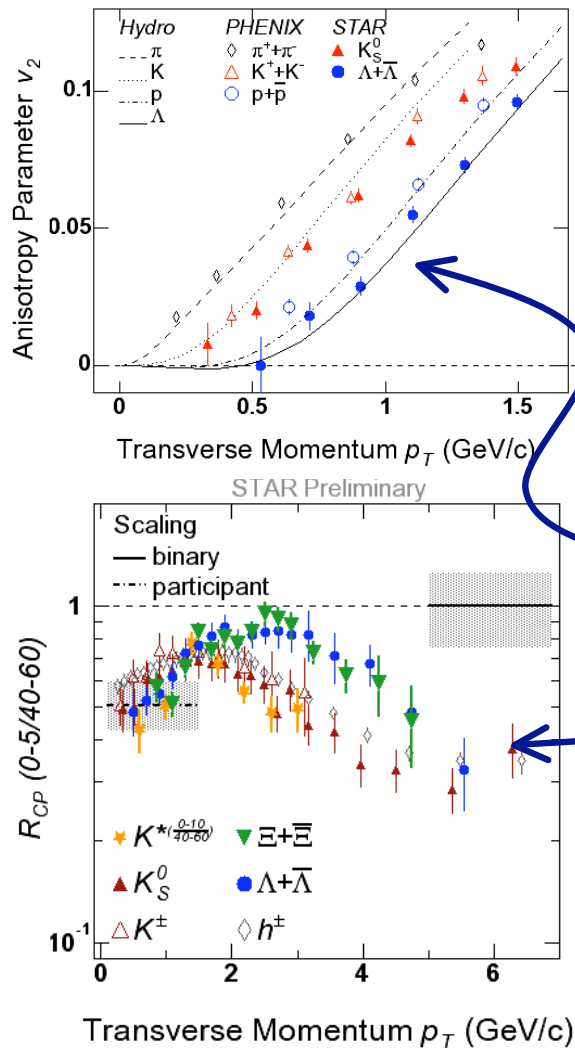


Factor of 5 suppression of yields!  
Signature of jet-quenching



# 3<sup>rd</sup> piece of the puzzle

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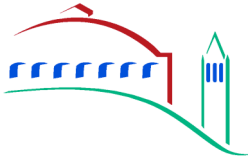


Near-side correlations are "similar" in p+p, d+Au, and Au+Au.

Away-side correlations in Au+Au are drastically different.

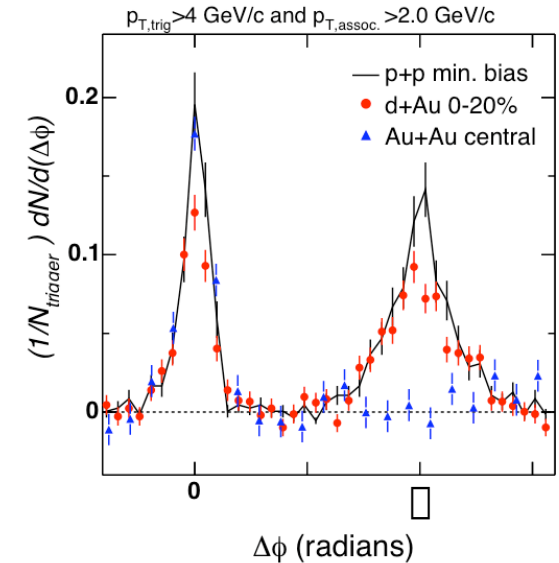
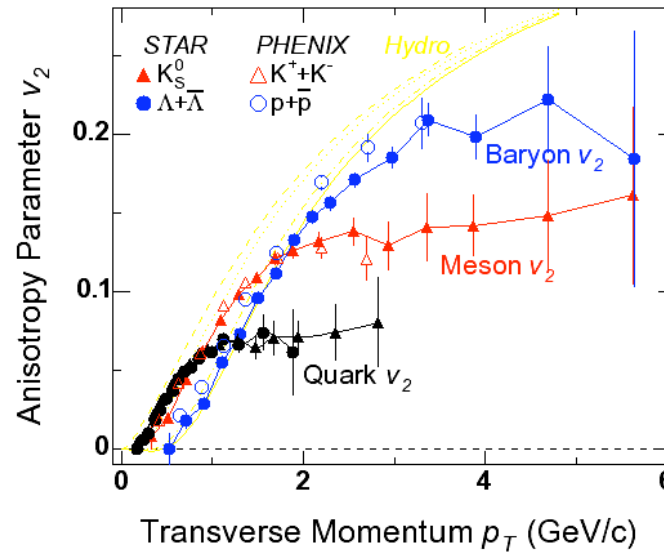
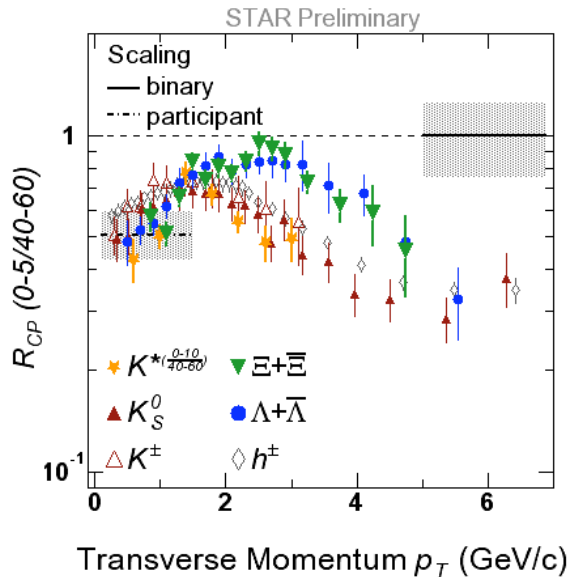
Jet quenching in dense matter:  
reduces high  $p_T$  yields and  
back-to-back correlations





# What's happening at intermediate $p_T$ ?

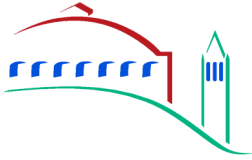
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$$\Delta p \Delta x \geq \hbar$$

- We are in the  $p_T$  region to probe constituent-quark length scales and observe quark number dependencies.
- Recombination is one possible microscopic explanation of how the quark-number dependence arises.





# Hard Processes at Intermediate $p_T$ ?

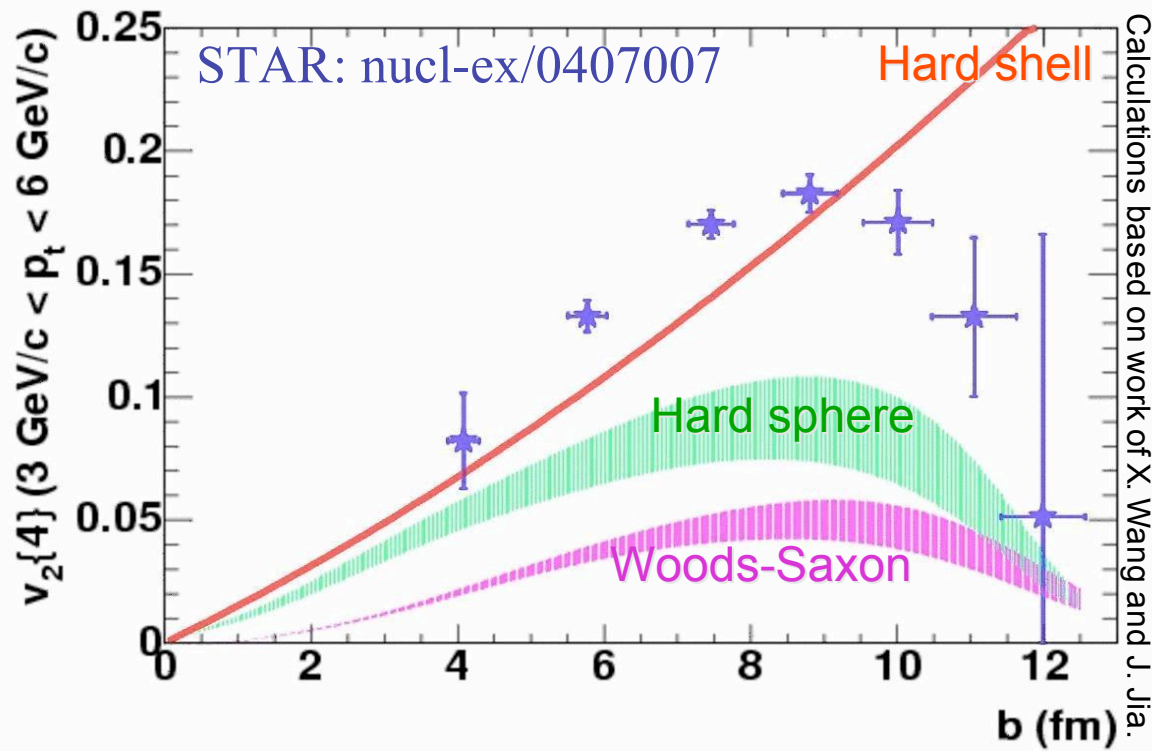
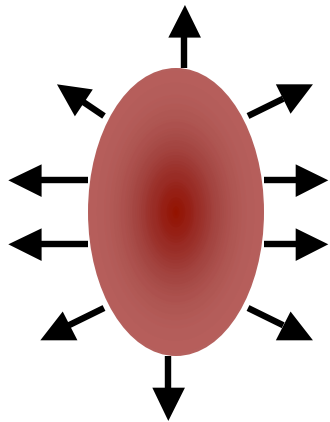
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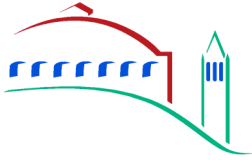
Anisotropy at intermediate  $p_T$  is too large for any models that don't incorporate either hydrodynamics or recombination.

No mechanism has been proposed that can yield these  $v_2$  values for hadrons produced predominantly from hard processes.

\*Energy loss calculations may work for  $v_2$  at higher  $p_T$  but not here.

\*Already shown by Shuryak at QM2001

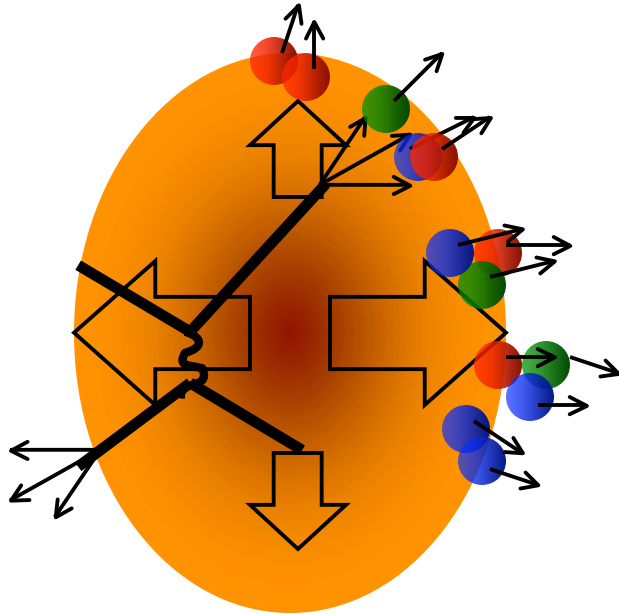




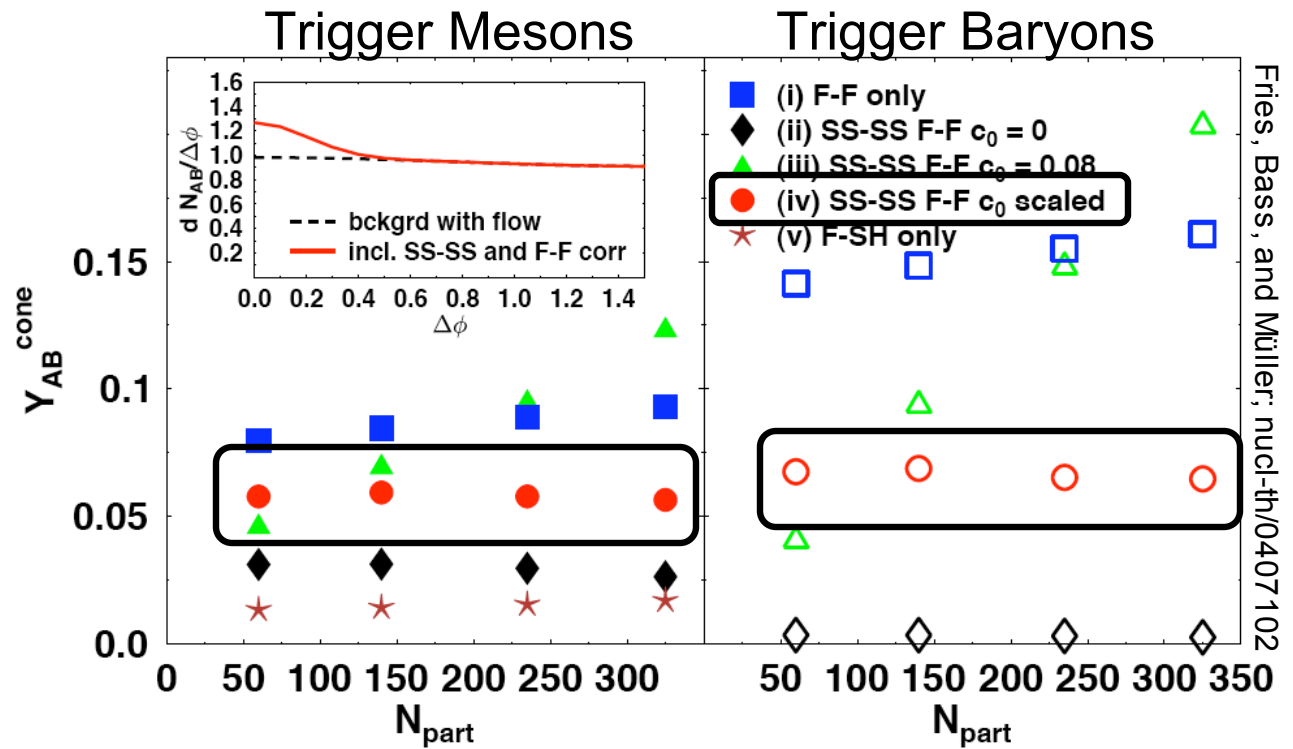
# "Jettiness" at Intermediate $p_T$

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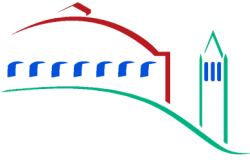
Perhaps correlations amongst constituent quarks that recombine can account for the correlations in Au+Au collisions.



Associated Yield

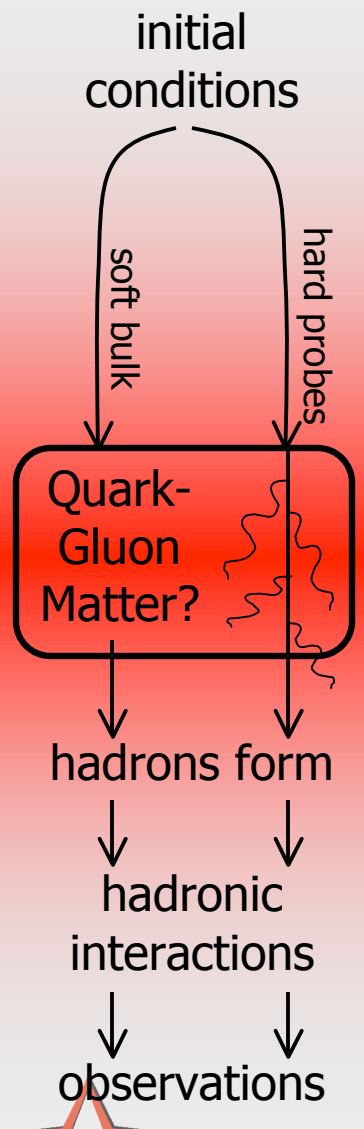






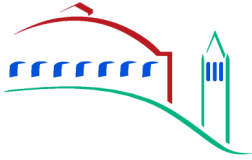
# Conclusions

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- An apparent constituent-quark-number dependence arises in nuclear collisions:
  - most likely a manifestation of sub-hadronic degrees-of-freedom.
  - will demonstrate that coordinate- to momentum-space conversion happens before hadrons are formed.
  - the larger data set being analyzed will be conclusive.
- Baryon yields at intermediate  $p_T$  are not suppressed ( $R_{CP} \sim 1$ ):
  - rules out available jet-quenching explanation of the large baryon  $v_2$ .
- So far, correlation measurements are difficult to interpret:
  - but they are likely to reveal how the non-hadronic “matter” and hard probes interact.





Thanks!

-Paul Sorensen

